

University of Maryland Electron Ring (UMER)

June 23, 2016

Brian L. Beaudoin

UMER Faculty and Students

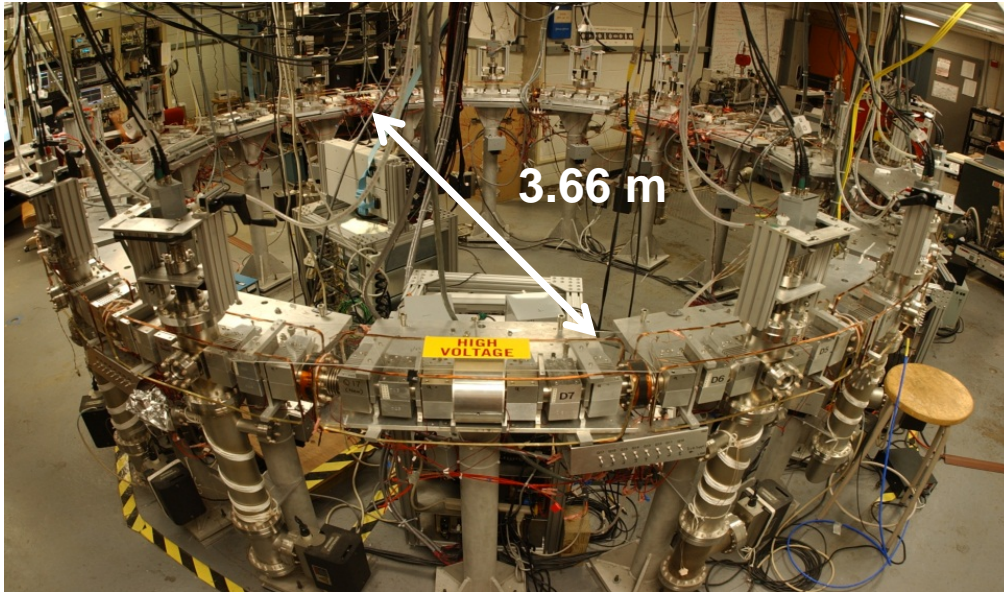
Institute for Research in Electronics & Applied Physics

Energy Research Facility

College Park, MD, USA

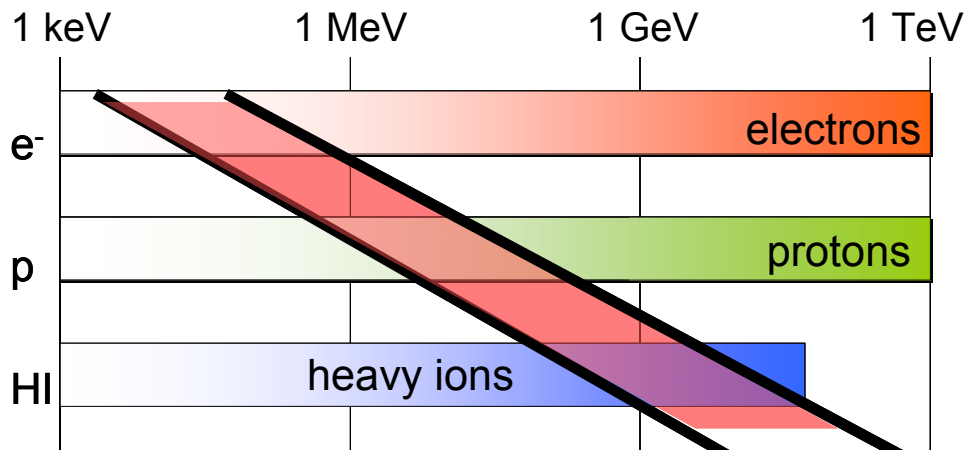


Background on UMER



UMER spans a broad range of intensities through the use of the aperture plate

APERTURE PLATE



Parameters

Energy: 10keV

Rigidity: 3.38E-4T-m

Current: 0.06-100mA

Tune: 6.76

Tune Shift: 0.045-0.96

Chromaticity: -7.9

Momentum Compaction Factor: 0.0204


Size: 1.5-10mm

Emittance: 7.6-64 mm mr


Avg Earth Field: 400mG

University of Maryland Electron Ring

70  DC Magnetic Quadrupoles


2  Wide Pulsed Quadrupoles

35  DC Bending Dipole

1  Solenoid

1  Pulsed Dipole

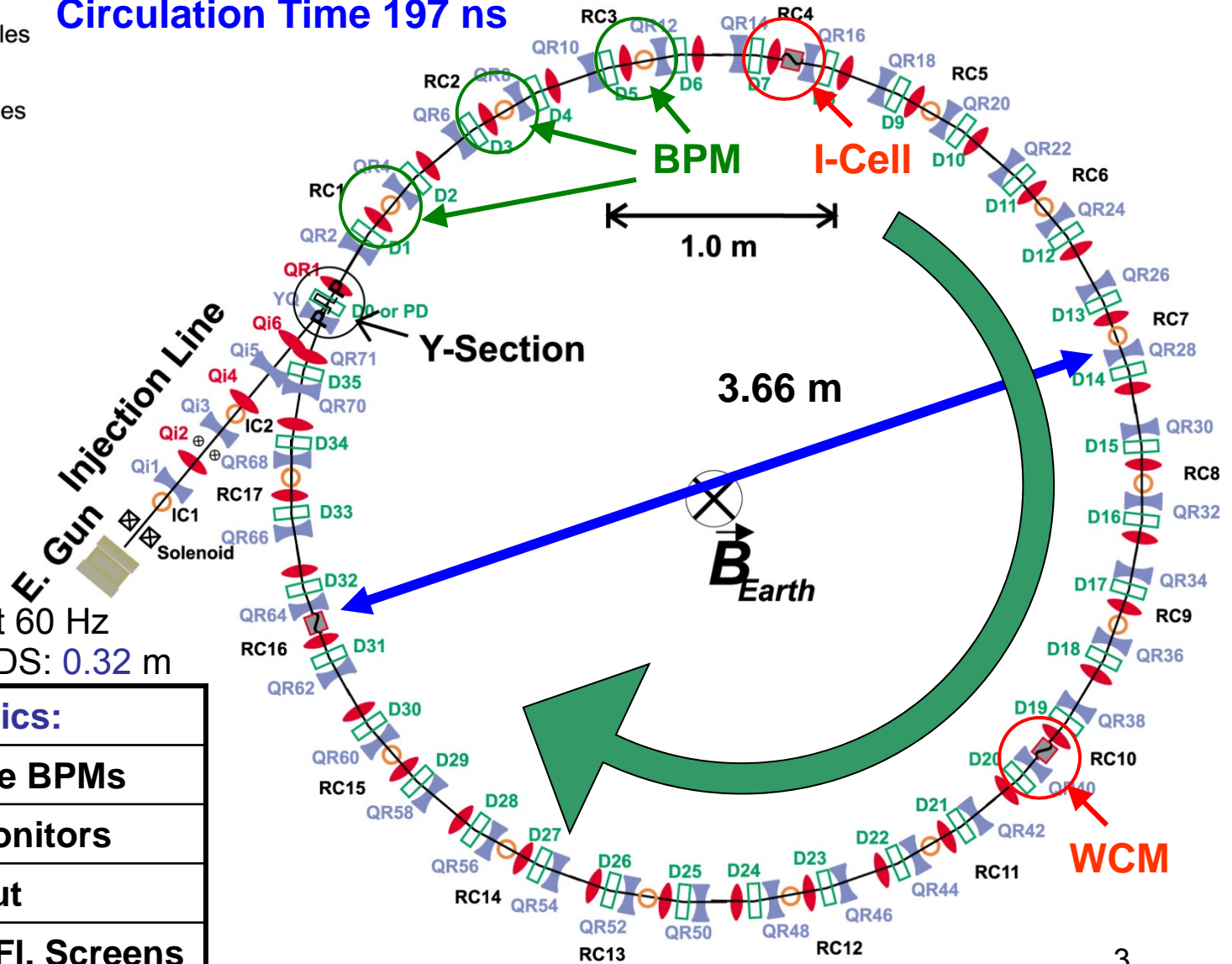
1  Bergoz Coil

3  Induction Gap

16  Diagnostic Chamber

Single turn injection at 60 Hz
FULL LATTICE PERIODS: 0.32 m

Circulation Time 197 ns



Ring Diagnostics:

14 Fast, Capacitive BPMs

1 Wall Current Monitors

RF-Knockout

Slow and Fast FI. Screens

OTR Screens

Thermionic Electron Sources

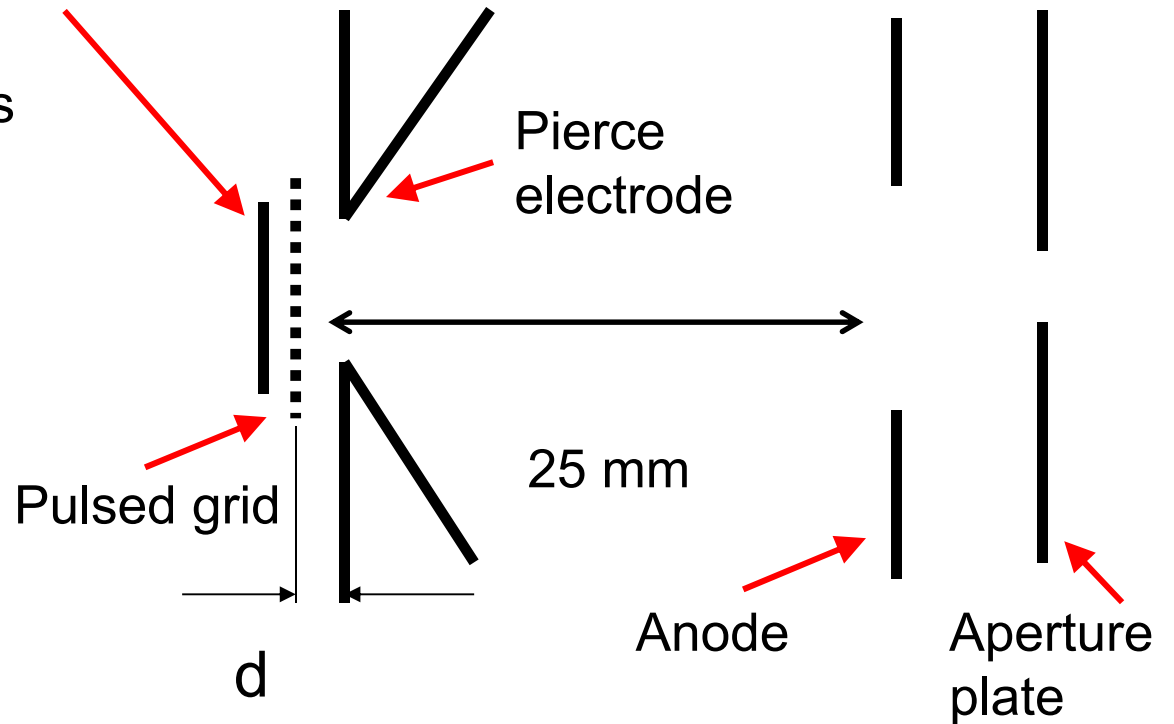
Standard Dispenser Cathodes
(3-5A/cm² CW emission,
15A/cm² pulsed)



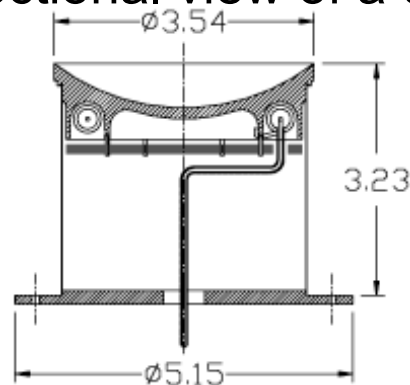
-HeatWave Labs (www.cathode.com)

Heated cathode

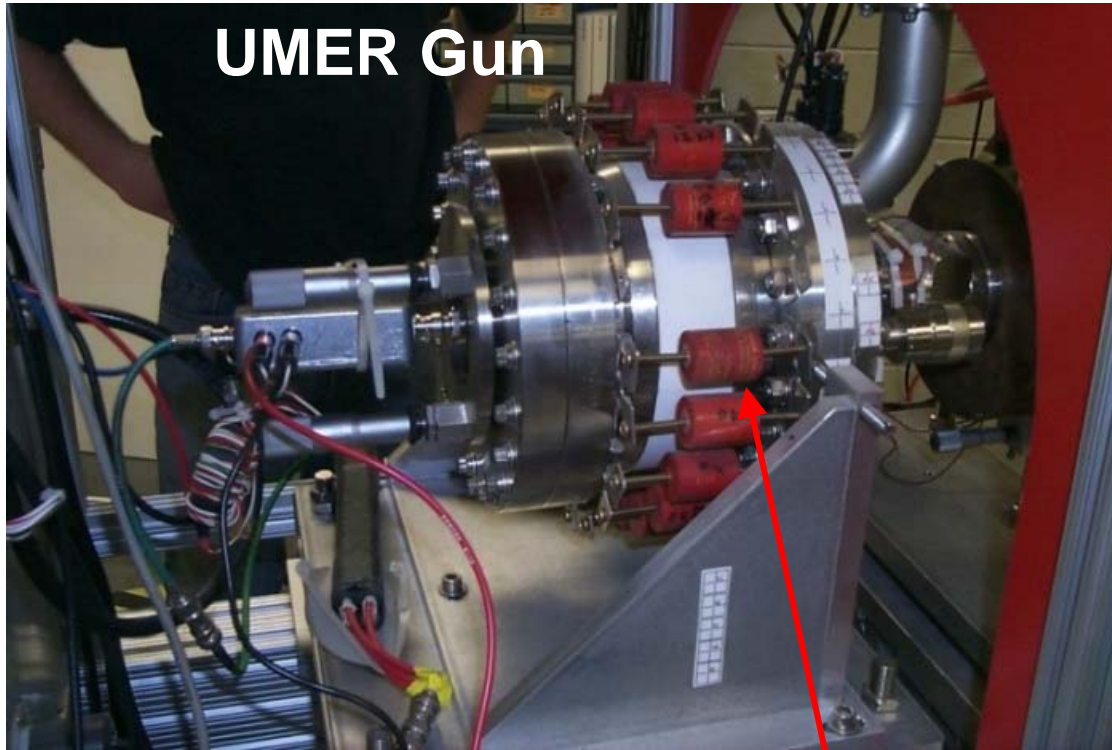
Triode Gun



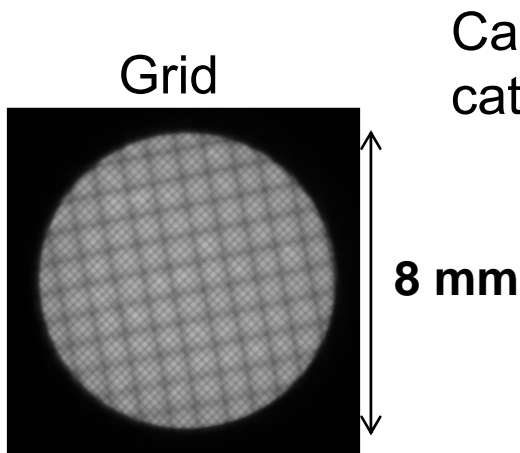
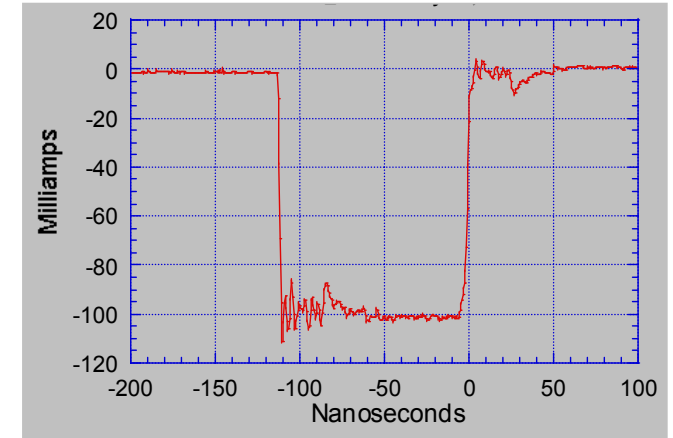
Cross-sectional view of a dispenser cathode



UMERs Pulsed Electron Gun



Extracted current pulse with a Pulse Forming Line (PFL)



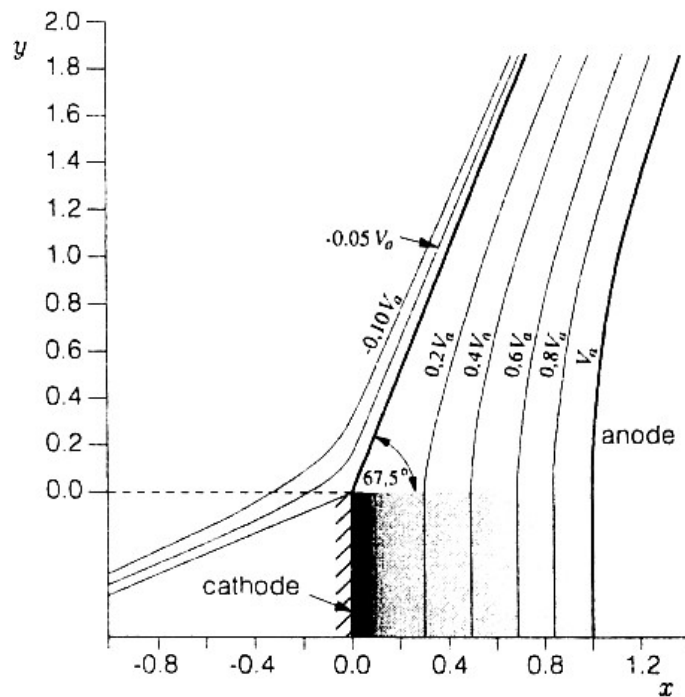
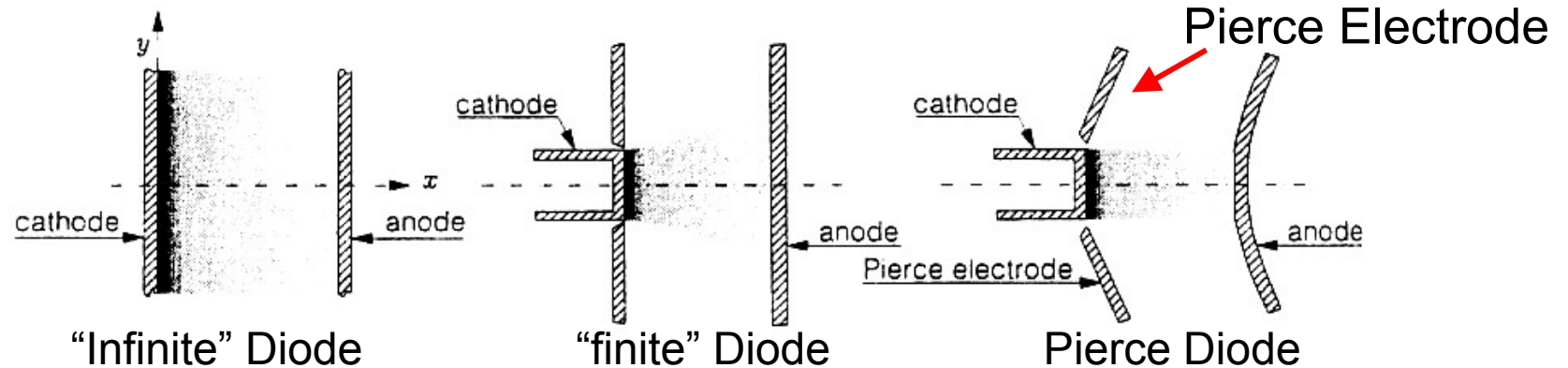
Capacitor bank between cathode and anode

5 ns laser pulse

Extracted current pulse with a laser and thermionic pulse



Pierce Electrode Geometry



Assume $V(x) \propto x^{4/3}$, outside beam for finite (in y -direction) diode.

Use complex formalism $x \rightarrow re^{i\phi} = \zeta + i\xi$,
 $V \rightarrow W = V_R + iV_I$.

Then $V_R \propto r^{2/3} \cos[(4/3)\arctan(\zeta/\xi)]$.

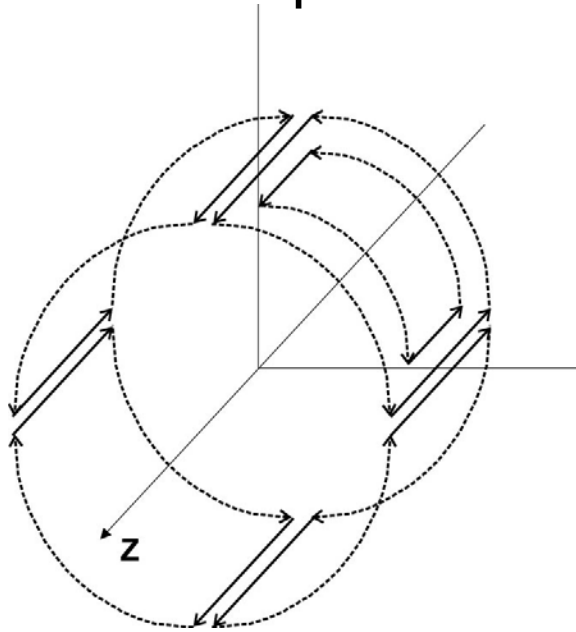
Since cathode is grounded, $V_R = 0$, so we need
 $(4/3)\arctan(\zeta/\xi) = \pi/2$, or slope at $x=0$ is

$$(3/4) \pi/2 = 67.5^\circ$$

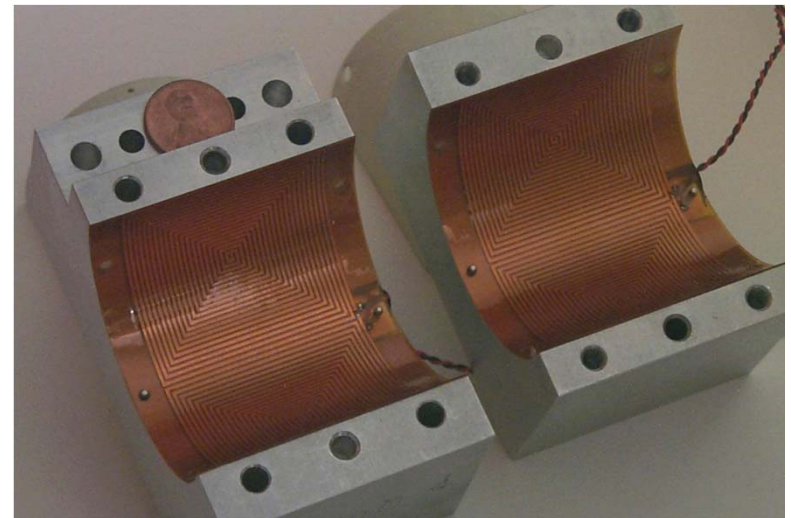
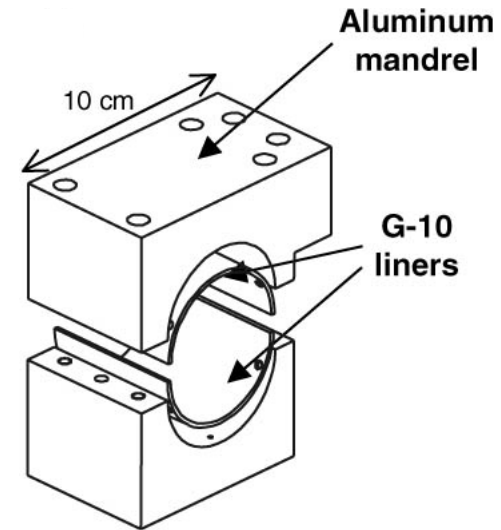
Printed Circuit (PC) Dipole and Quadrupole

On a circular cylindrical surface,
we want: $\int K_z dz \propto \cos n\theta$

n =order of multipole.

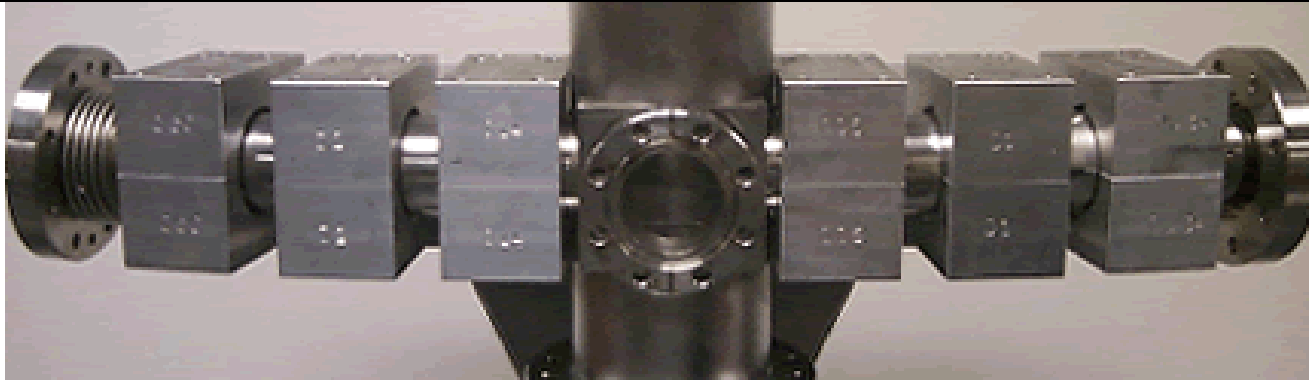


Only conductors parallel to z-axis
contribute to integrated B -field.

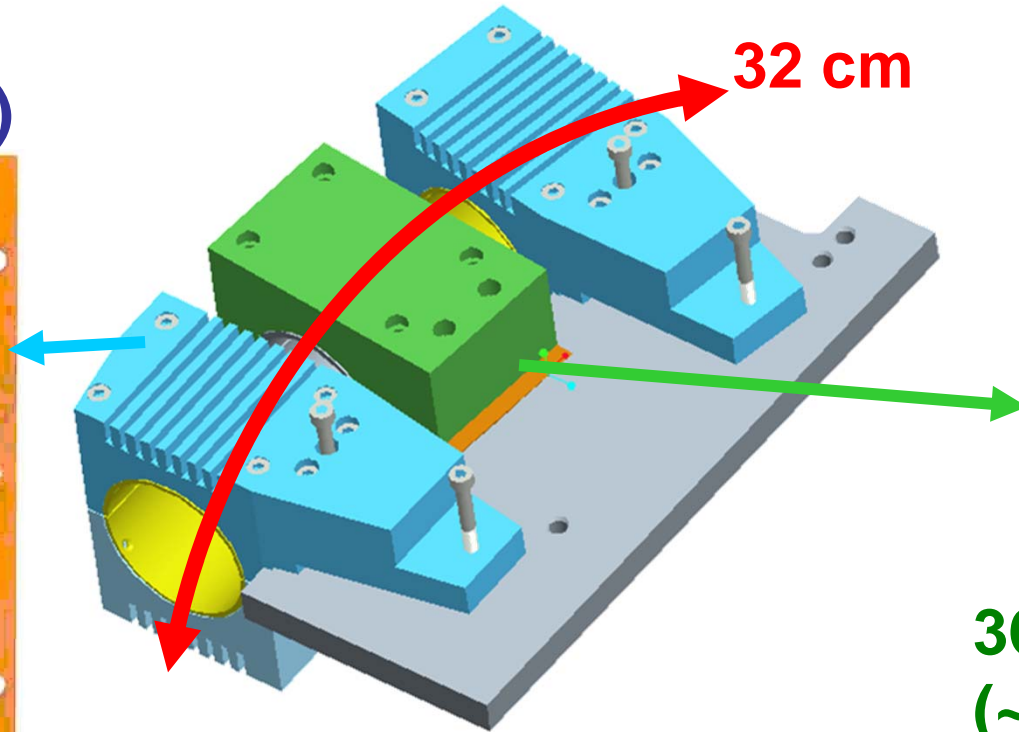
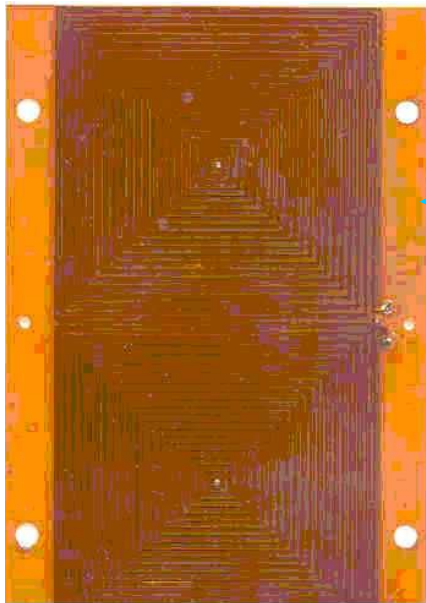


UMER PC quadrupole
7

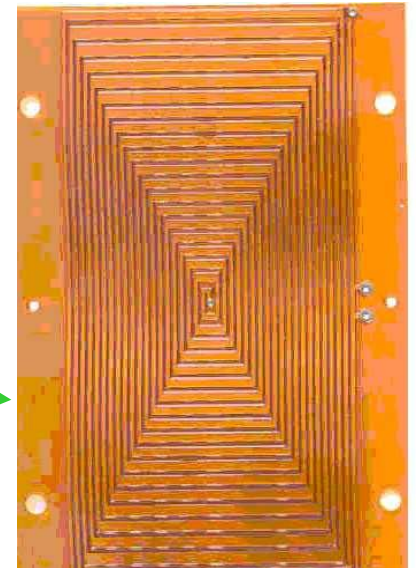
Standard UMER Magnets & Lattice



72 Quads
(~ 30 G peak)



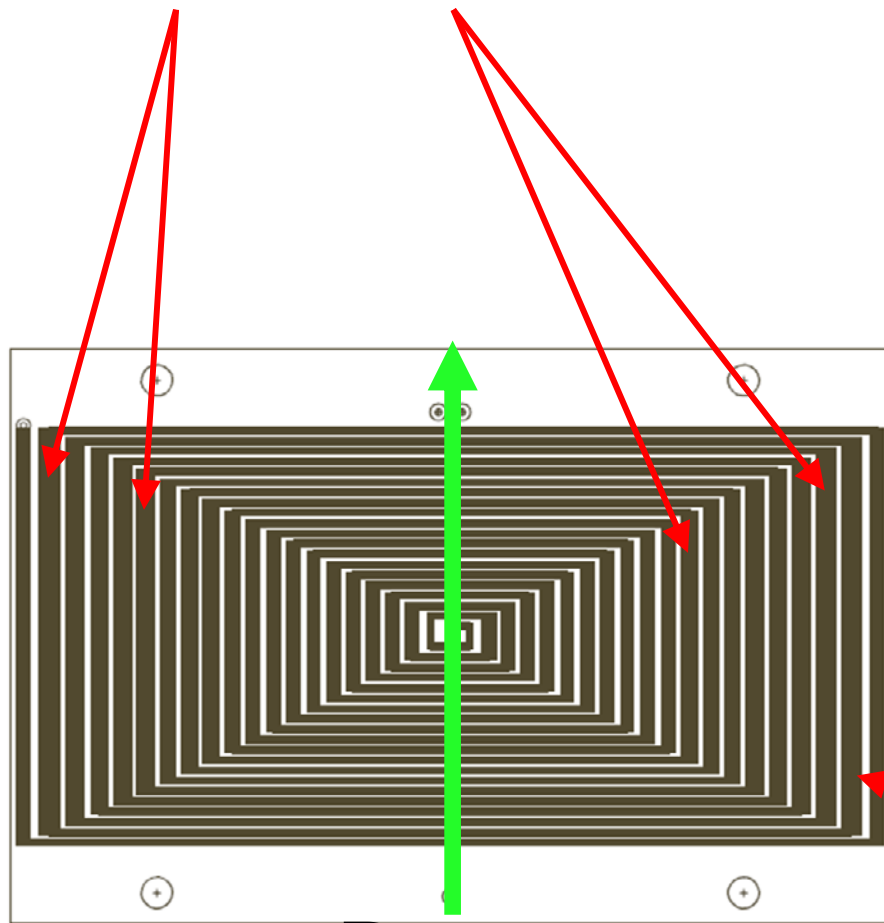
32 cm



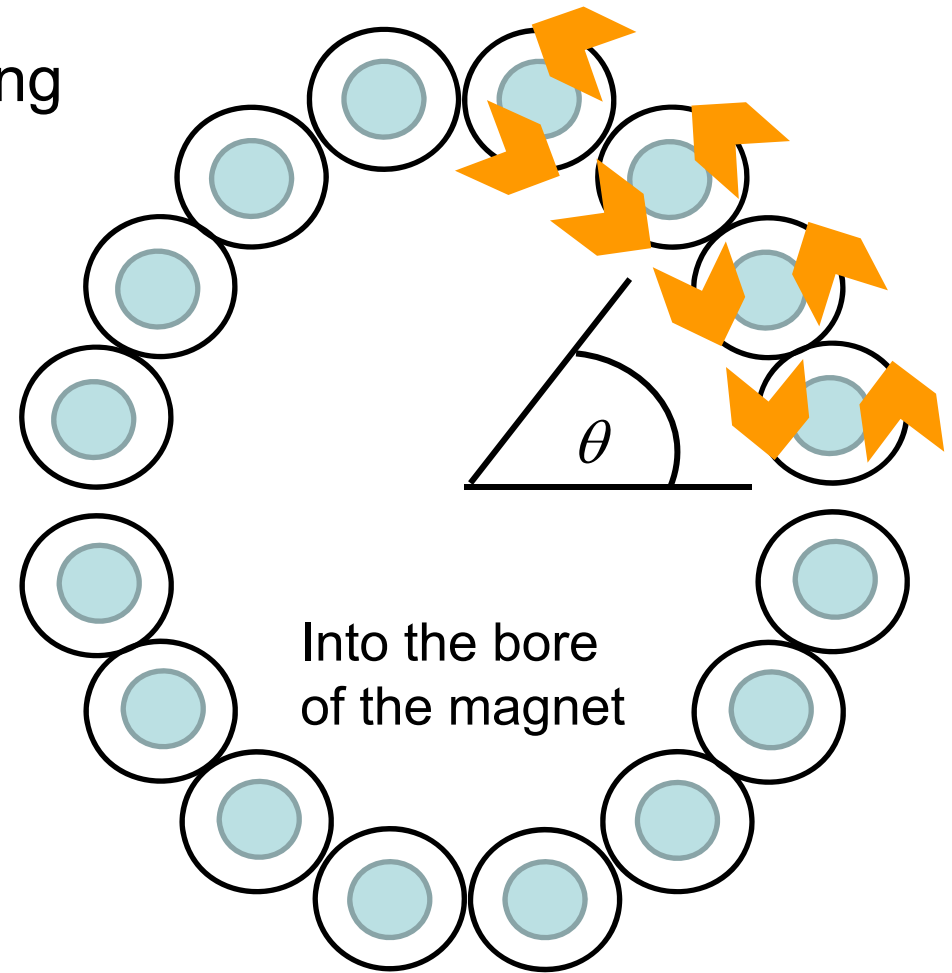
36 Dipoles
(~ 15 G peak)

Multiple Conductors in a PC Dipole

These conductors are contributing most to the total field



Beam



Into the bore
of the magnet

Half Lengths $z_{1/2}(\theta) = \frac{l}{2} [1 - |\sin((n+1)\theta)|]^{1/2}$

Multipole Expansion

2D Multipole Expansion:

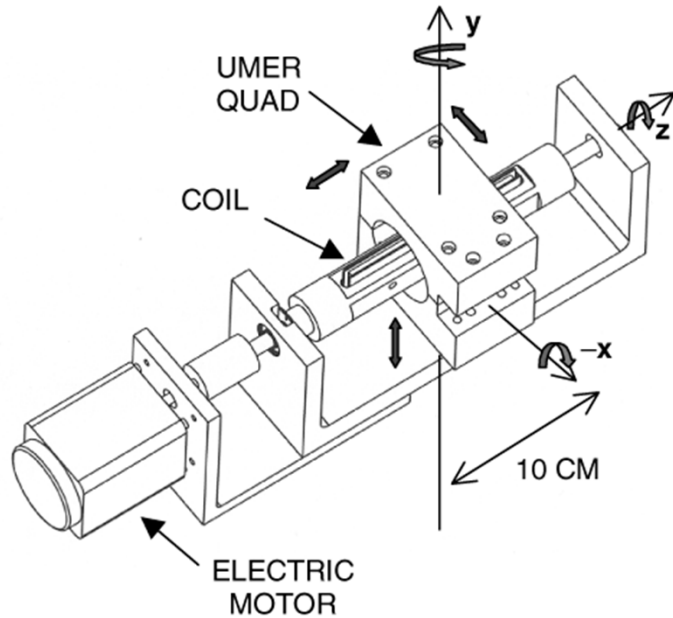
K_n is complex

r is real

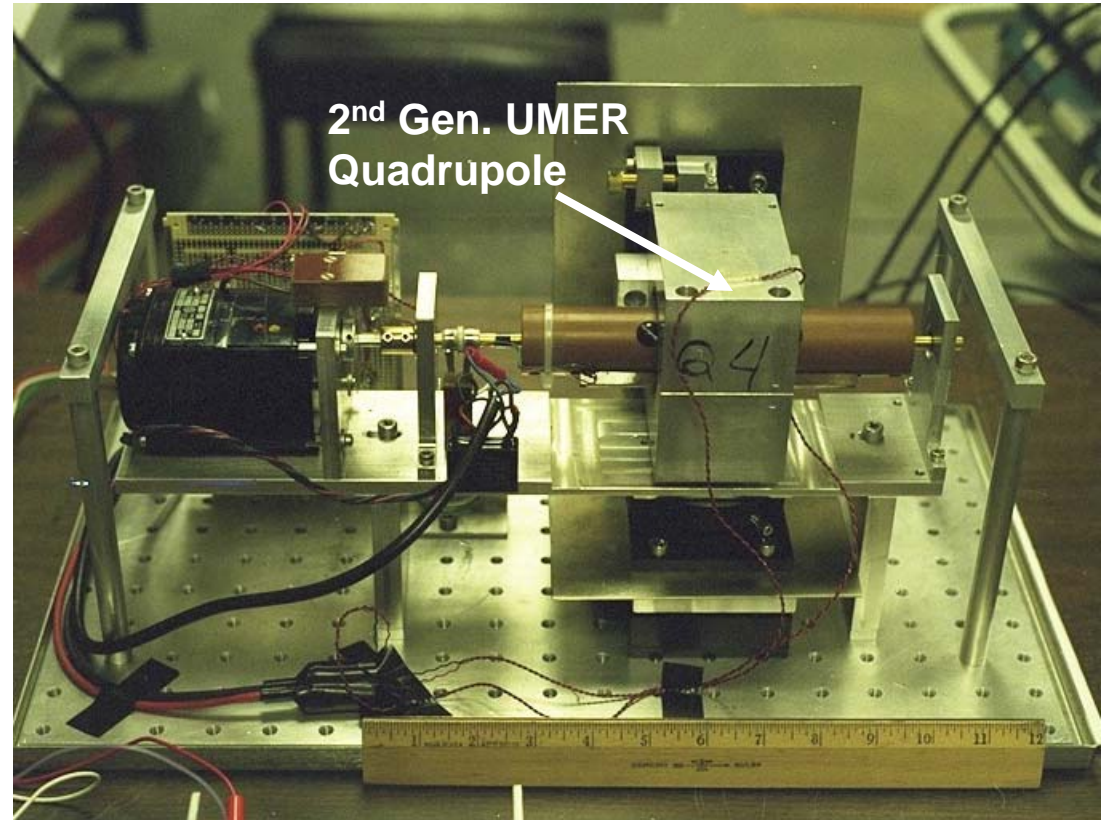
$$B_y + iB_x = \sum_{n=0}^{\infty} K_n (x + iy)^n = \sum_{n=0}^{\infty} K_n r^n e^{in\theta} = \sum_{n=0}^{\infty} |K_n| e^{i\delta_n} r^n e^{in\theta}$$

$n = 0$	$\Rightarrow B_x = 0$	$; B_y = K_0 $	\equiv dipole
$n = 1$	$\Rightarrow B_x(r, 0) = 0$	$; B_y(r, 0) = r K_1 $	\equiv quadrupole
	$B_x(r, \pi/2) = r K_1 $	$; B_y(r, \pi/2) = 0$	
	$B_{x,y}(r, \theta + \pi)$	$= -B_{x,y}(r, \theta)$	
$n = 2$	$\Rightarrow B_x(r, 0) = 0$	$; B_y(r, 0) = r^2 K_2 $	\equiv sextupole
	$B_x(r, \pi/4) = r^2 K_2 $	$; B_y(r, \pi/4) = 0$	
	$B_{x,y}(r, \theta + \pi/2)$	$= -B_{x,y}(r, \theta)$	

UMER Rotating Coil*

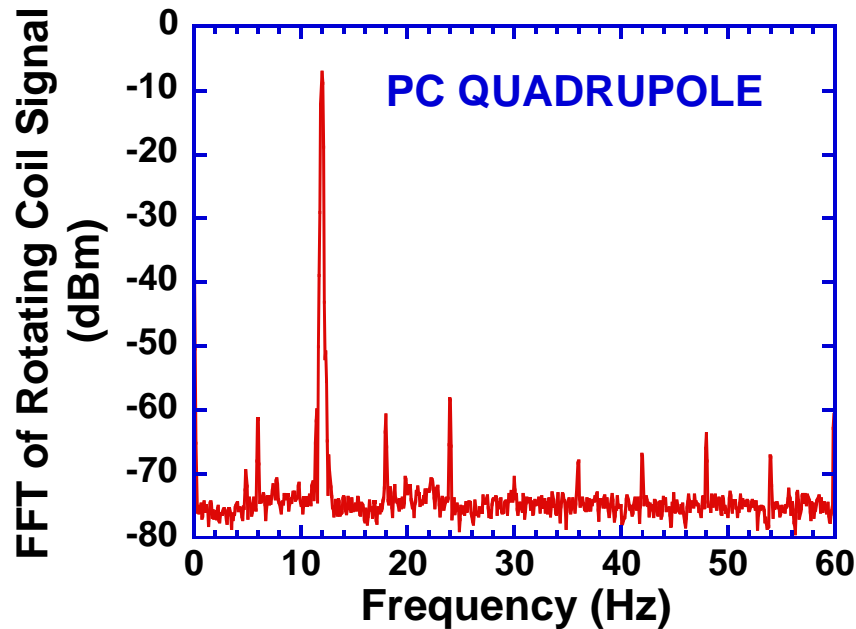
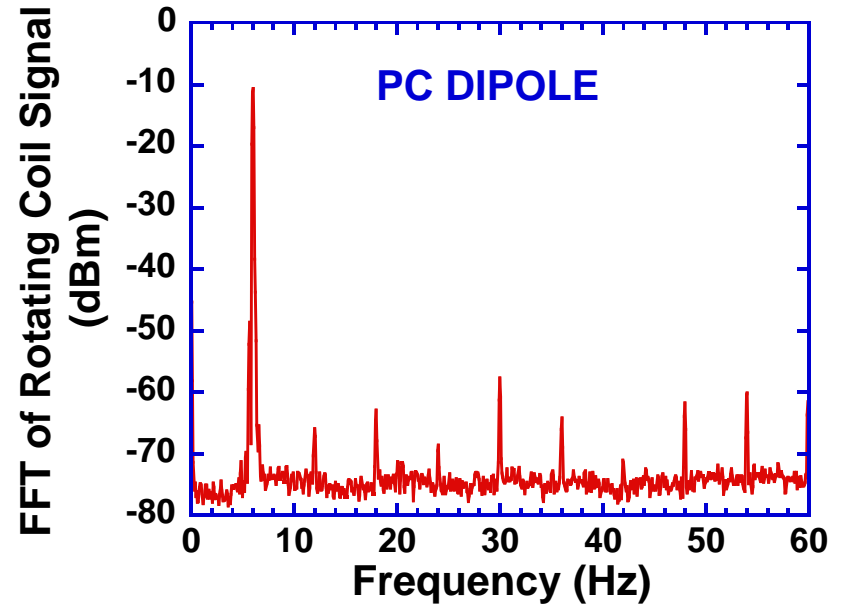
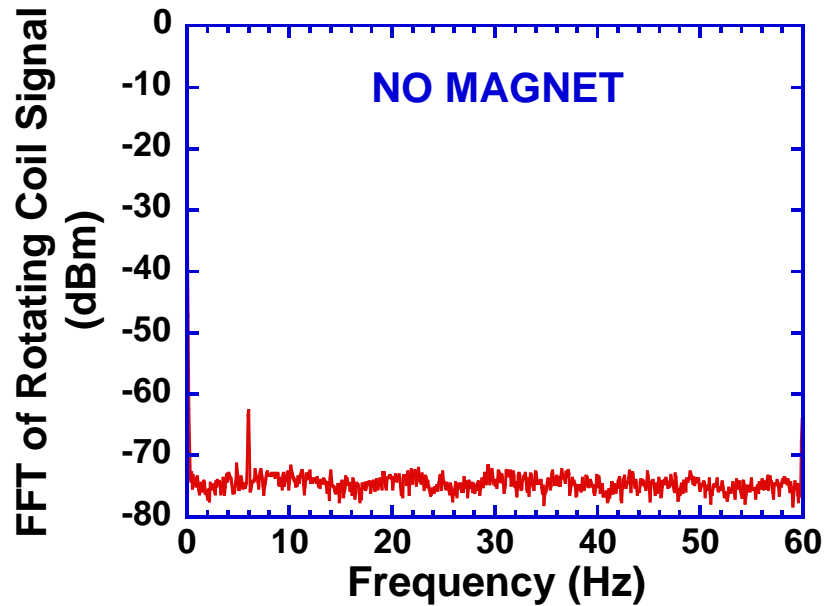


The coil contains ~3000 turns of very fine wire. The whole of the rotating coil apparatus is normally enclosed in mu-metal box.



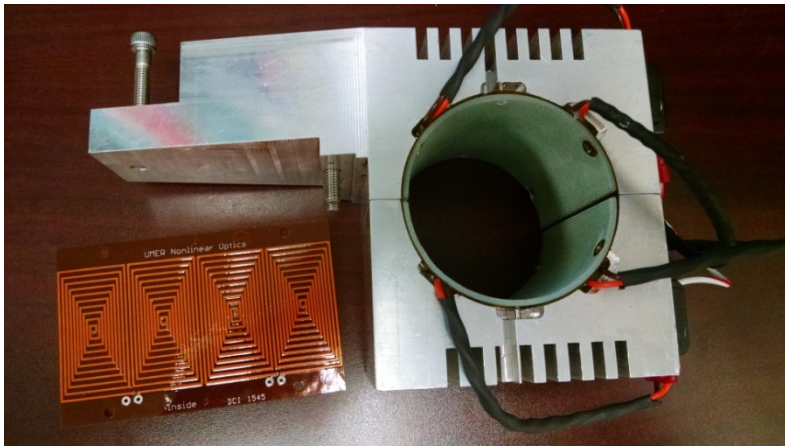
A rectangular rotating coil is positioned along the axis of the magnet. An FFT of the induced voltage details the harmonic content of the magnetic field.

FFT of Rotating Coil Signal

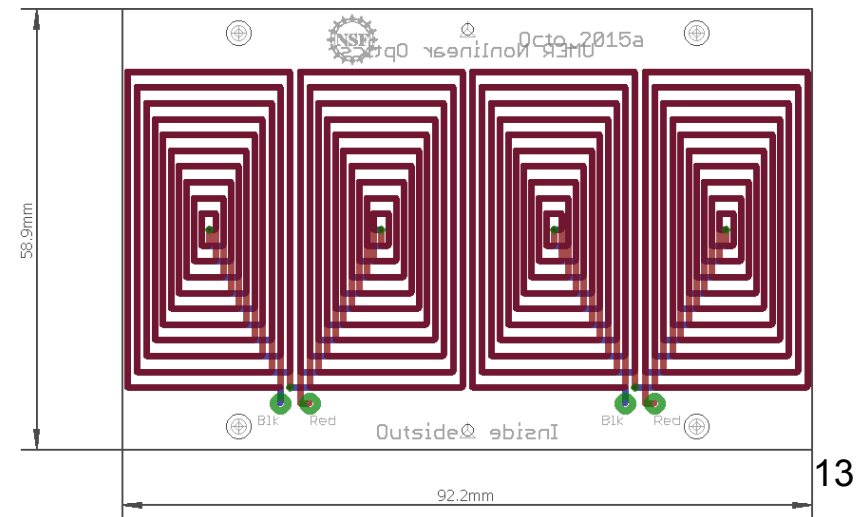
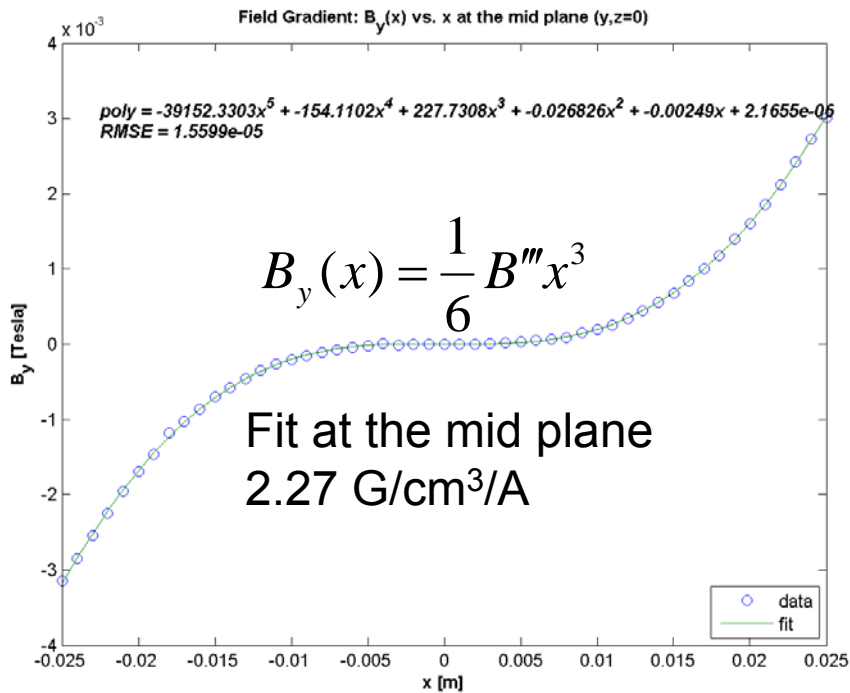
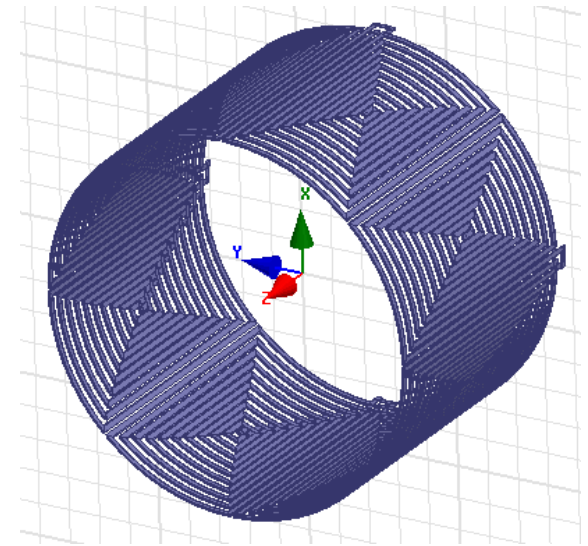


1st Generation PC Octupoles

Designed by (UG) David Matthew and Kiersten Ruisard

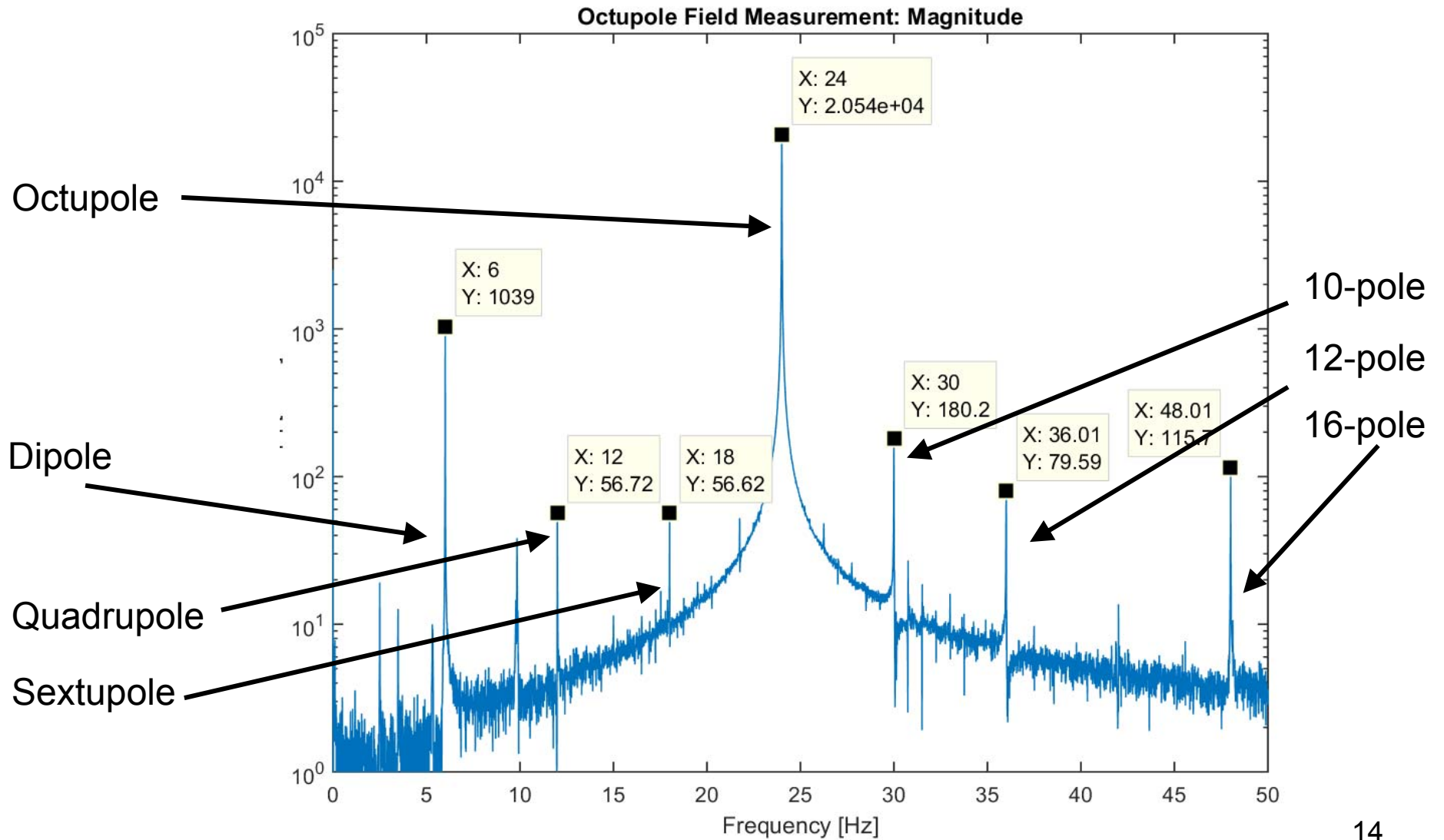


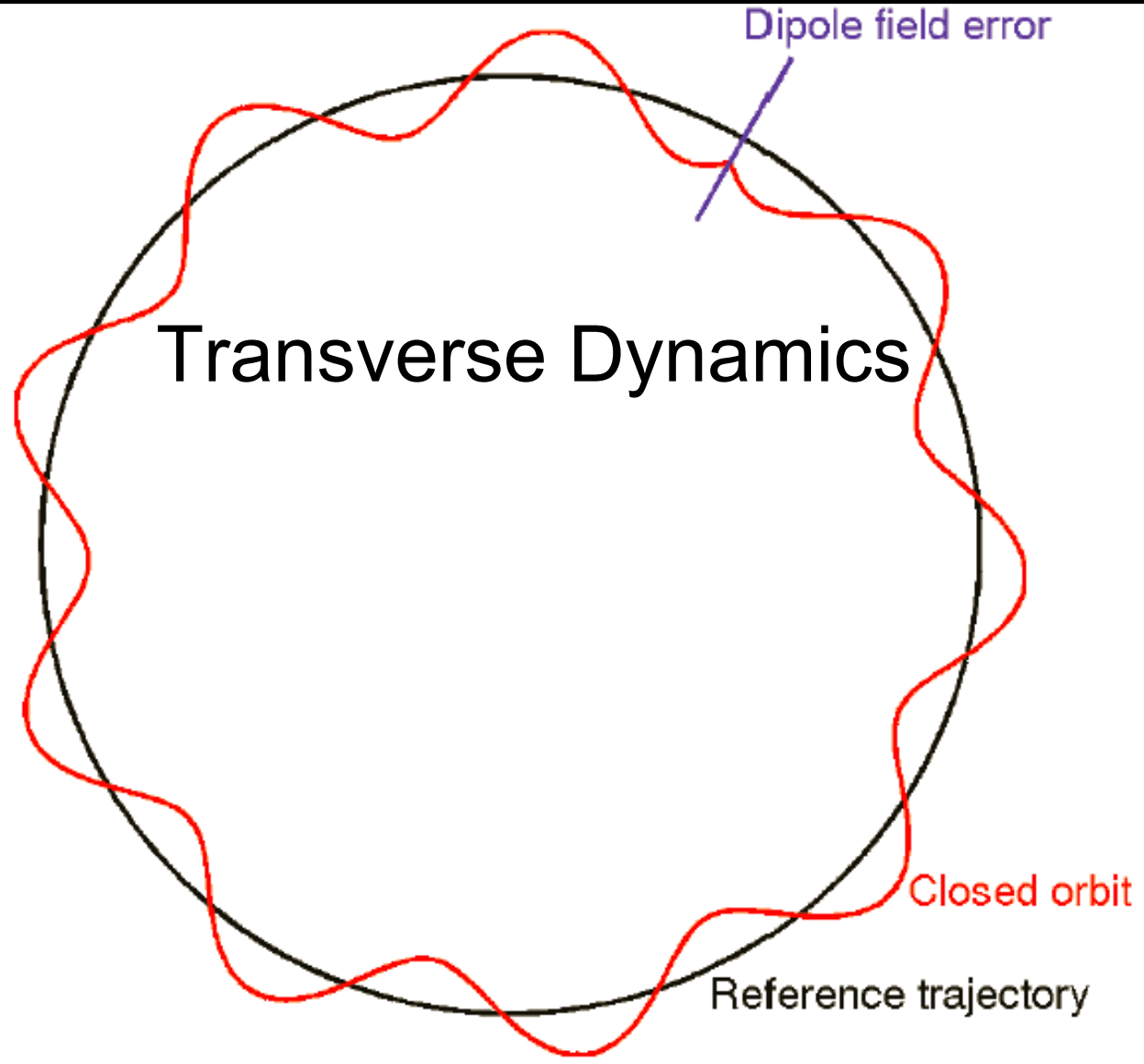
Maxwell model



Measuring the Multipole Content of the Octupole

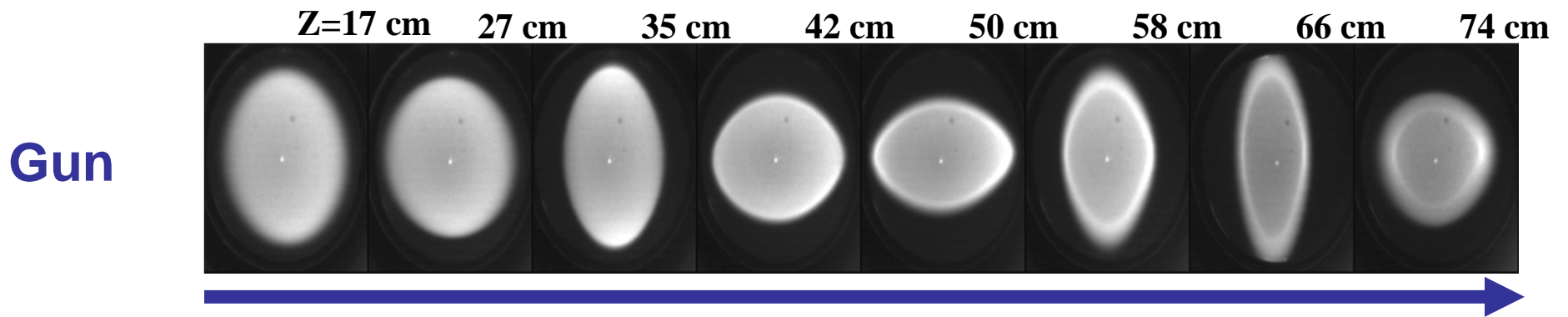
FFT Scope Data



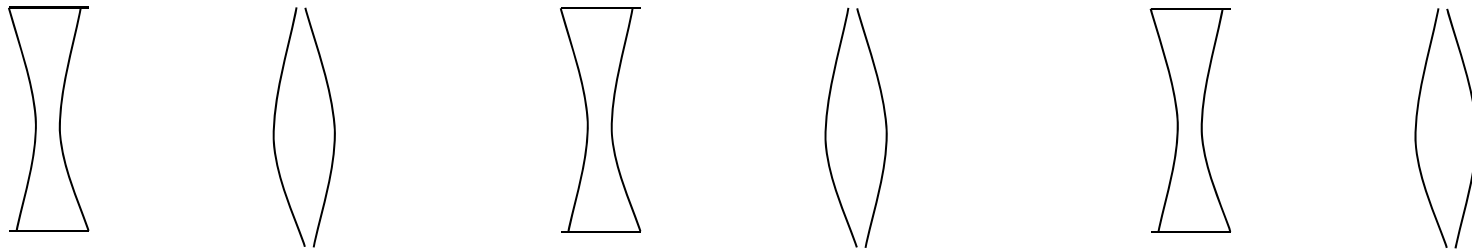


Beam Transport Down Quadrupole Line

Phosphor screen images of the beam



$z \sim 0.15 - 1 \text{ m}$



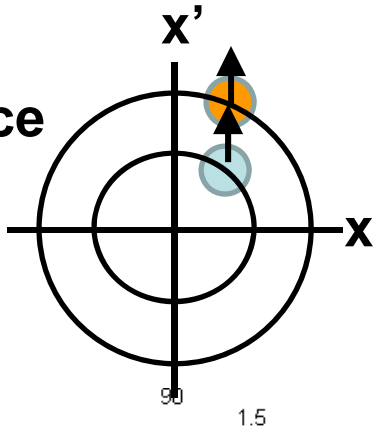
Bernal, Kisehek, Haber, and Reiser, PRL, 82, 4002 (1999).

Kisehek, O'Shea, Reiser, PRL, 85, 4514 (2000).

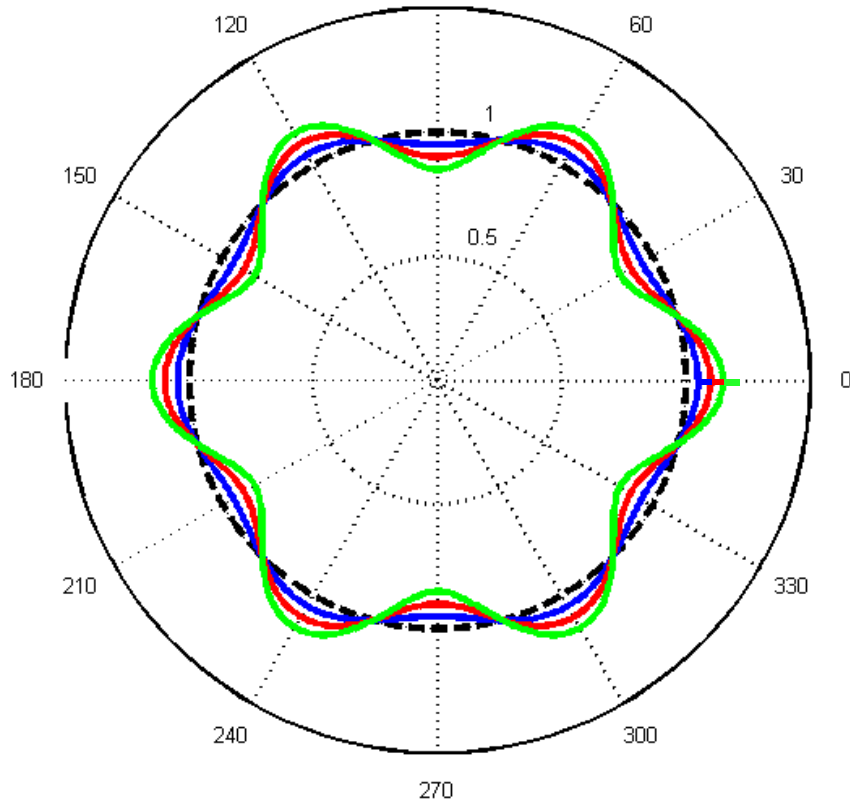
Reiser, Sec. 7.3.5, 7.3.6.1

Integer and Half-Integer Resonances

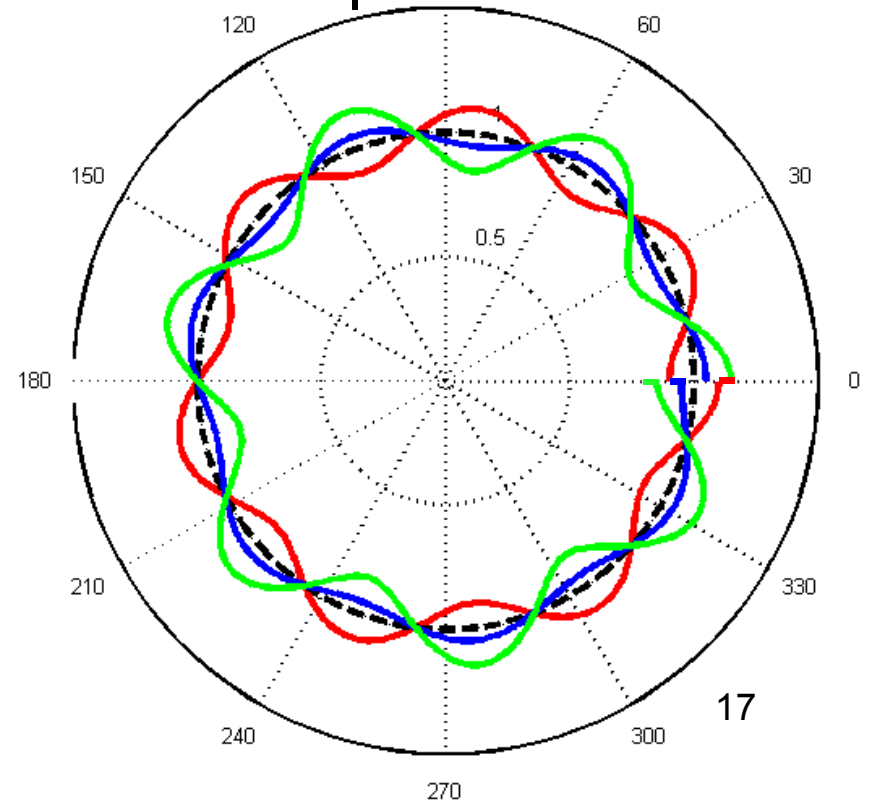
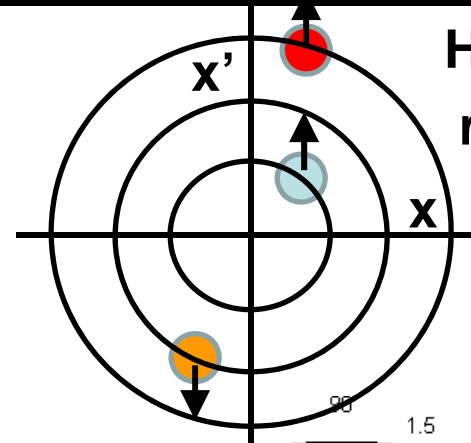
Integer Resonance



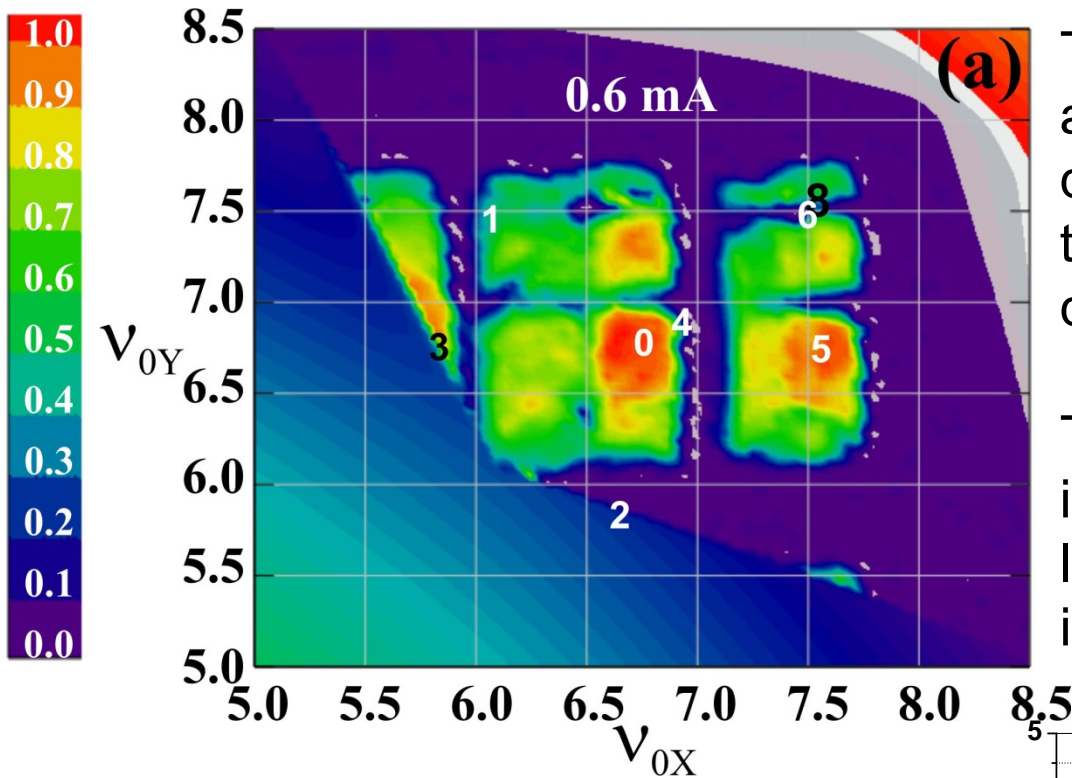
Dipole errors in the accelerator perturbs beam motion



Half-Integer resonance



Quadrupole Tune Scans

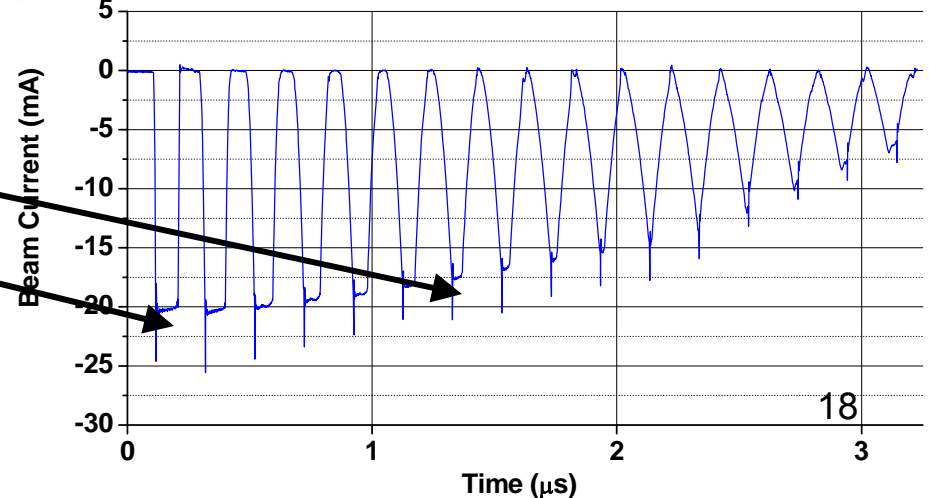


The current traces shown below are taken as a function of the quadrupole currents. We vary both the horizontal and vertical quadrupoles.

The regions of no transmission indicate current loss at the integer lines, the beam resonantly kicked itself out of the machine.

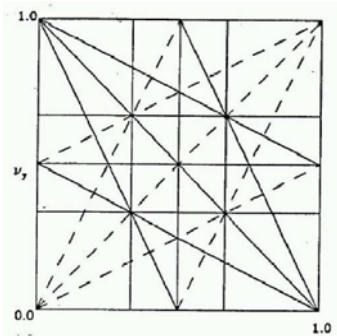
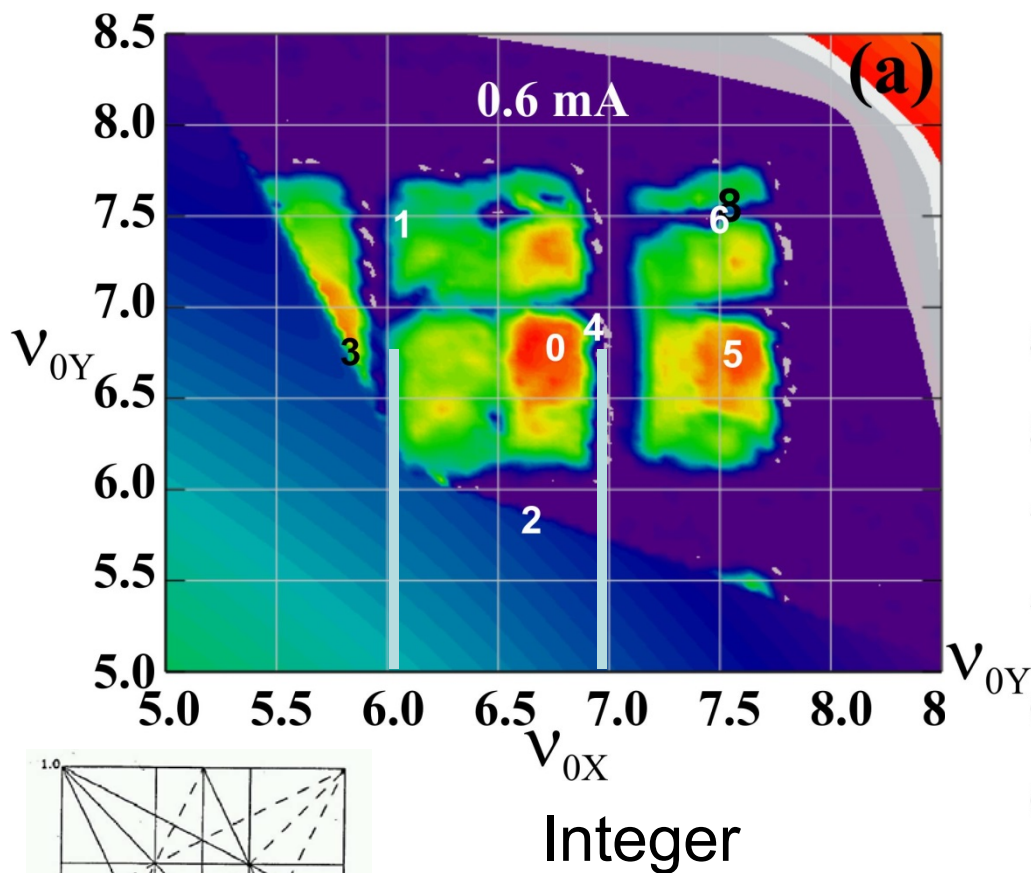
$$Intensity_{Turn} = \frac{I_{Turn}}{I_1}$$

Duration the beam survives over multiple turns



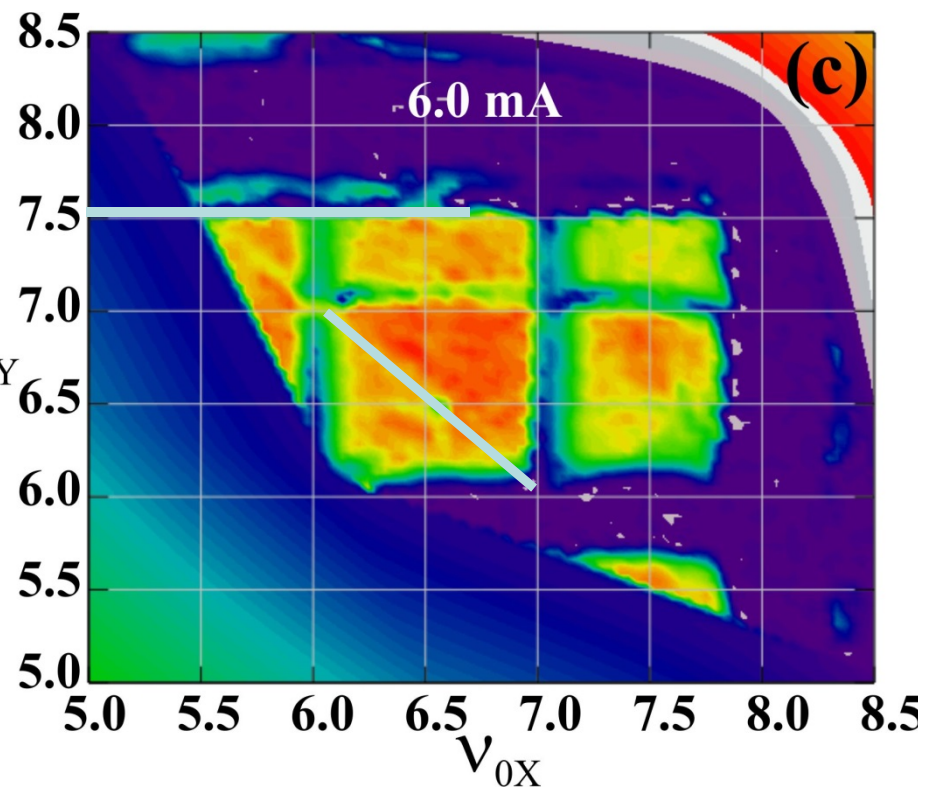
Quadrupole Tune Scans vs Beam Current

Beam Current Transmission Plots at 10th turn



$$\nu_x + \nu_y = 13$$

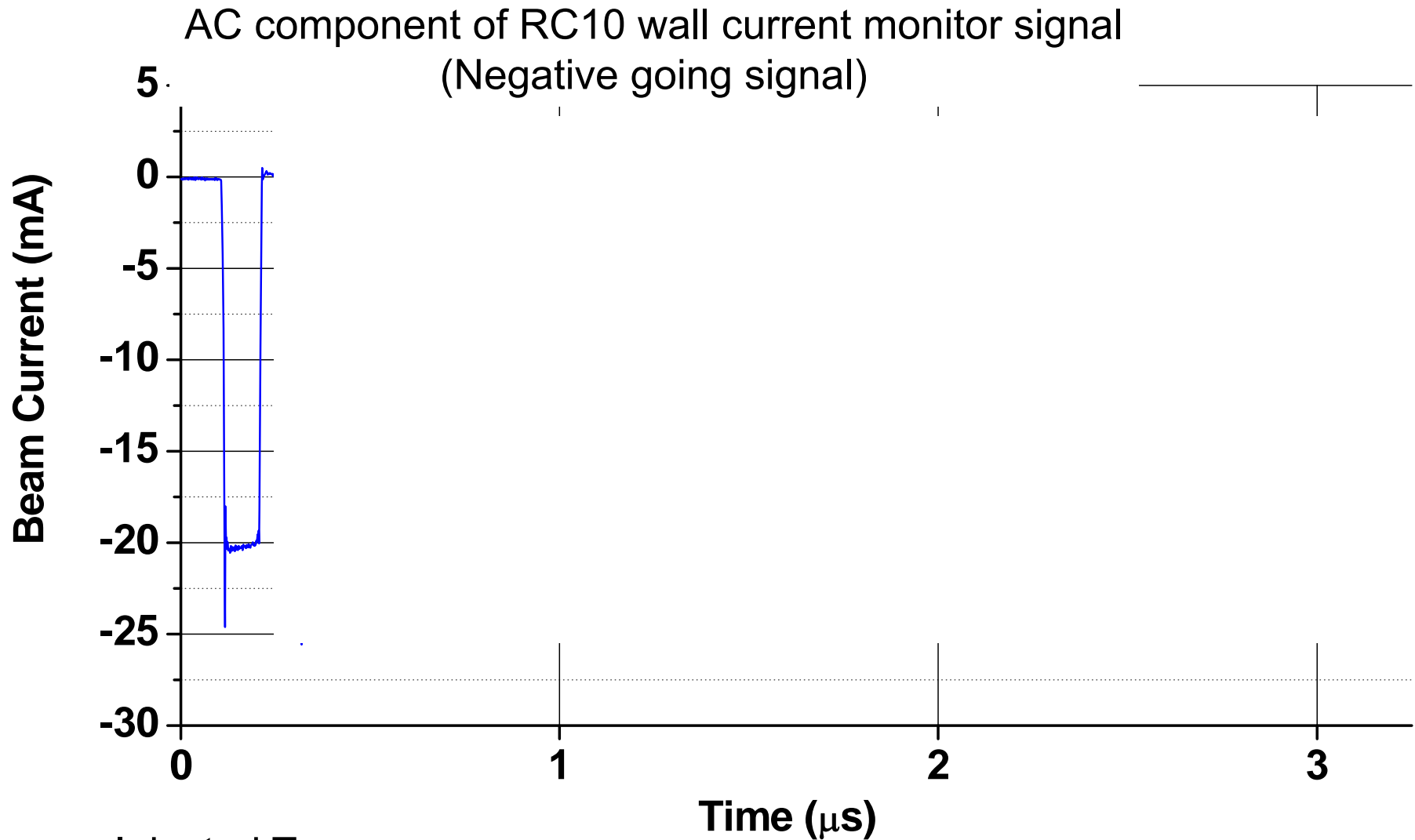
Half-Integer





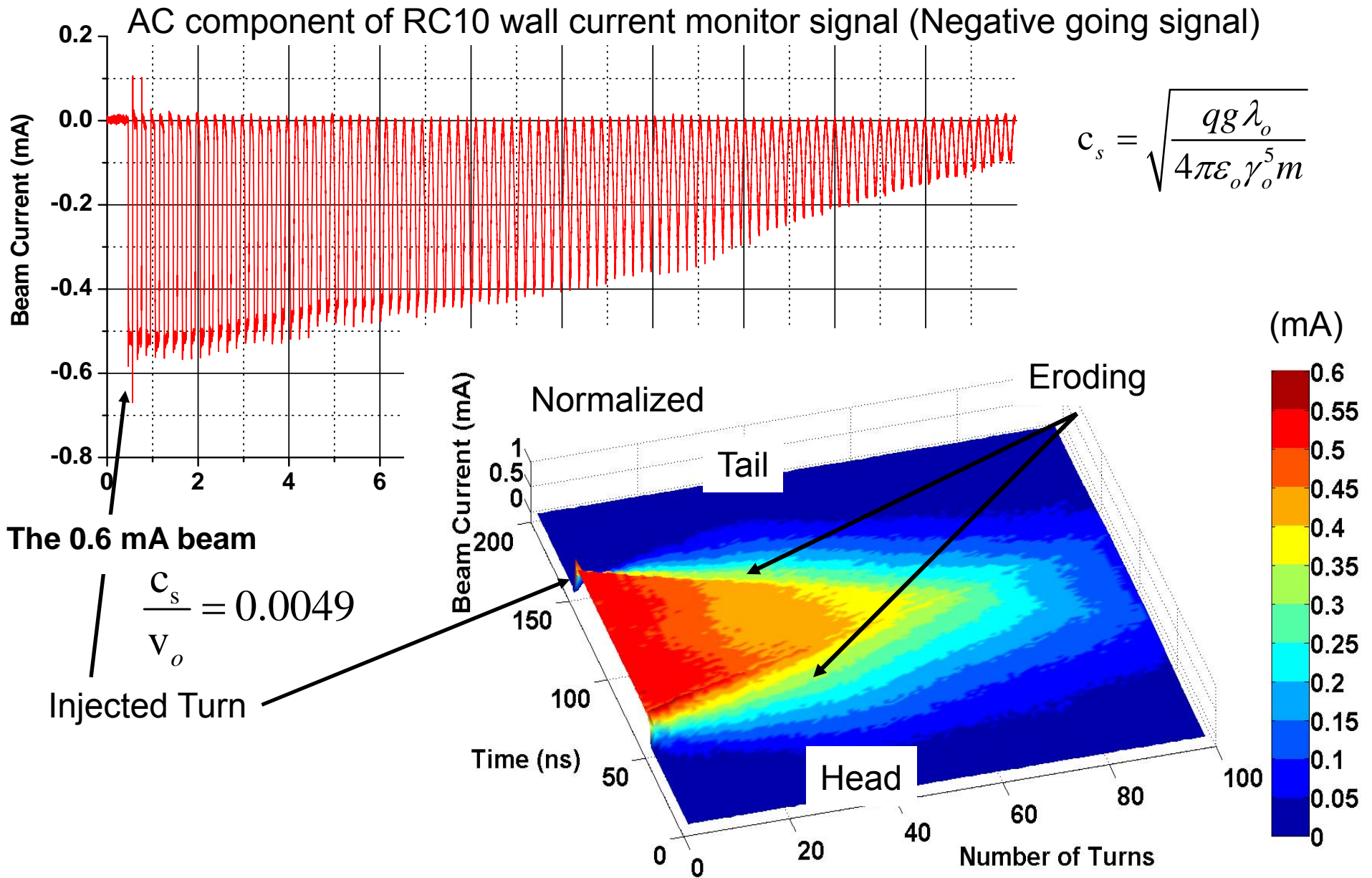
Longitudinal Dynamics without Barrier Buckets

Longitudinal Space-Charge Forces Diminishes the Bunch Shape



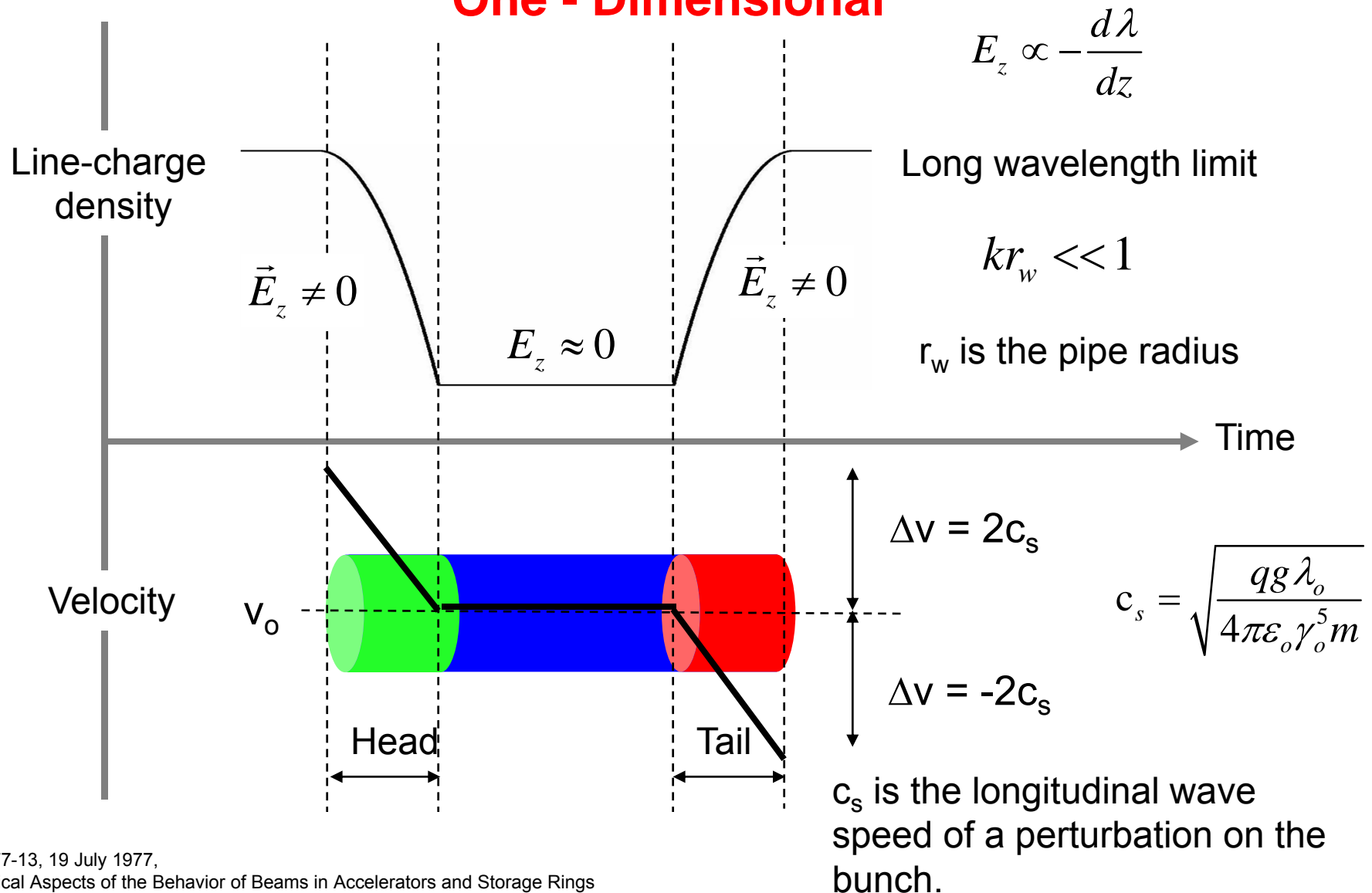
Injected Turn
21 mA

Longitudinal Bunch Erosion of Bunch Current



Longitudinal Space-Charge Physics

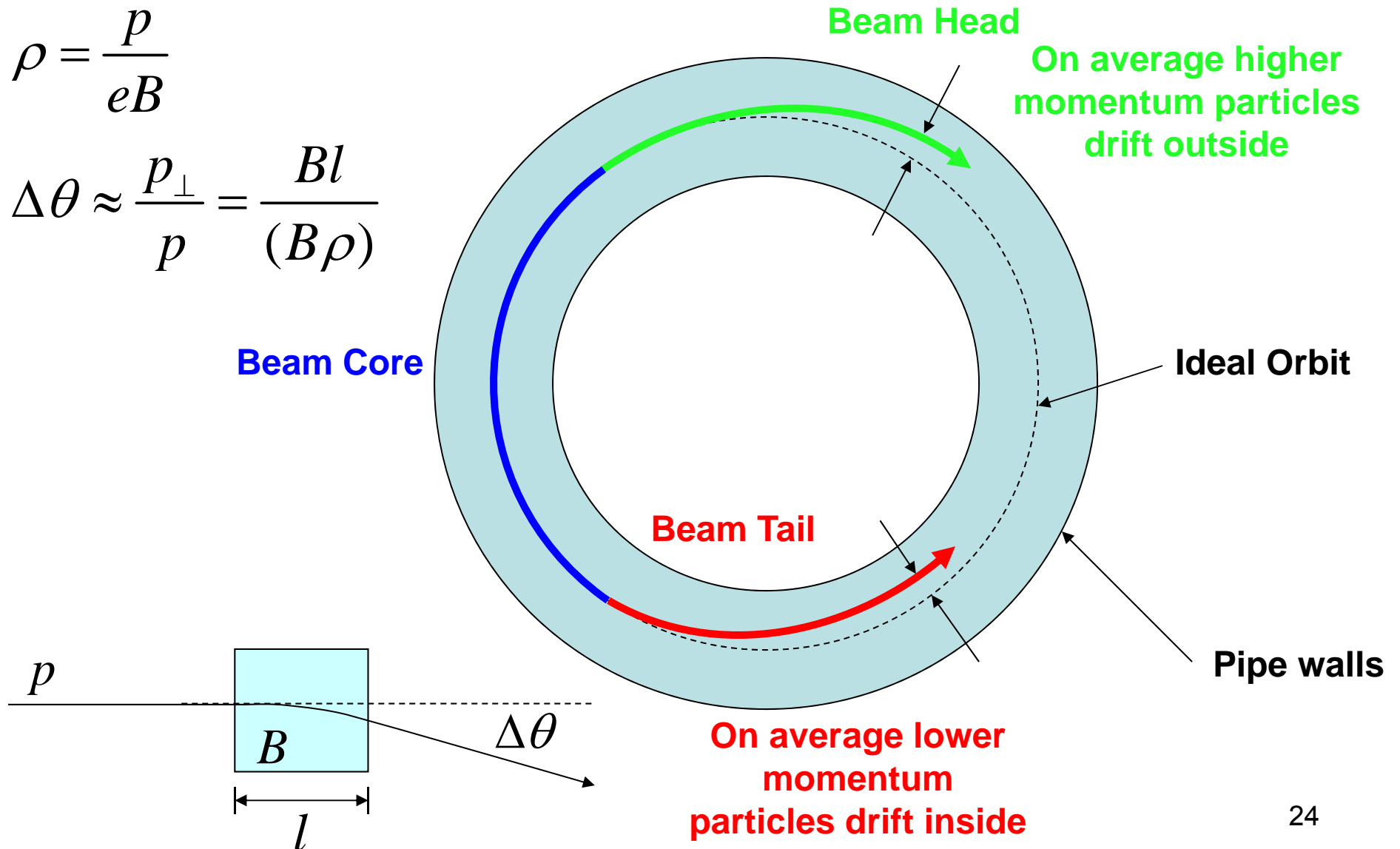
One - Dimensional



Space-Charge Driven Transverse-Longitudinal Correlation

$$\rho = \frac{p}{eB}$$

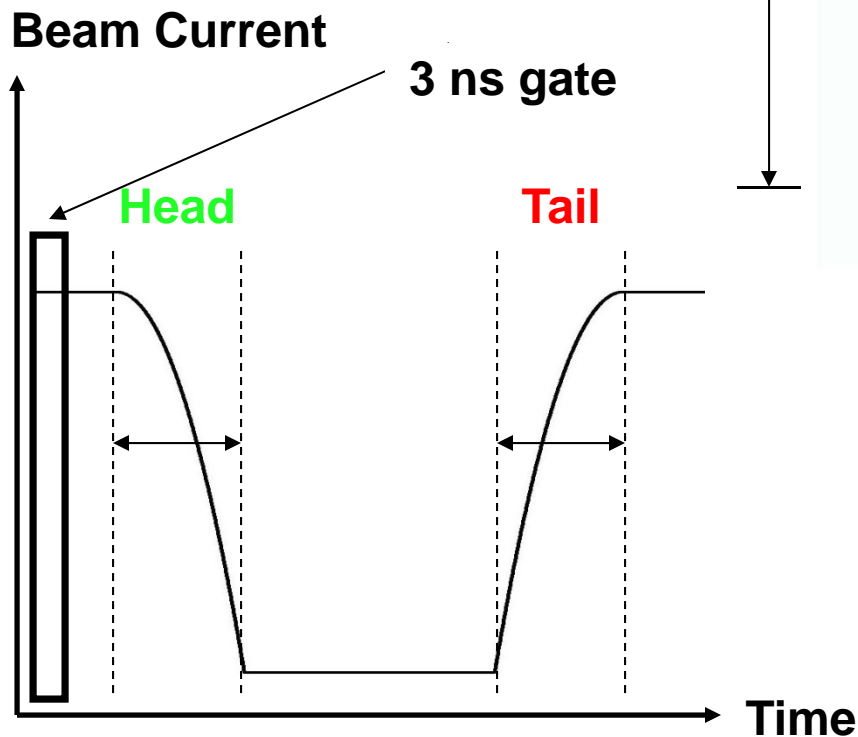
$$\Delta\theta \approx \frac{p_{\perp}}{p} = \frac{Bl}{(B\rho)}$$



Time Resolved Measurement of Beam Ends

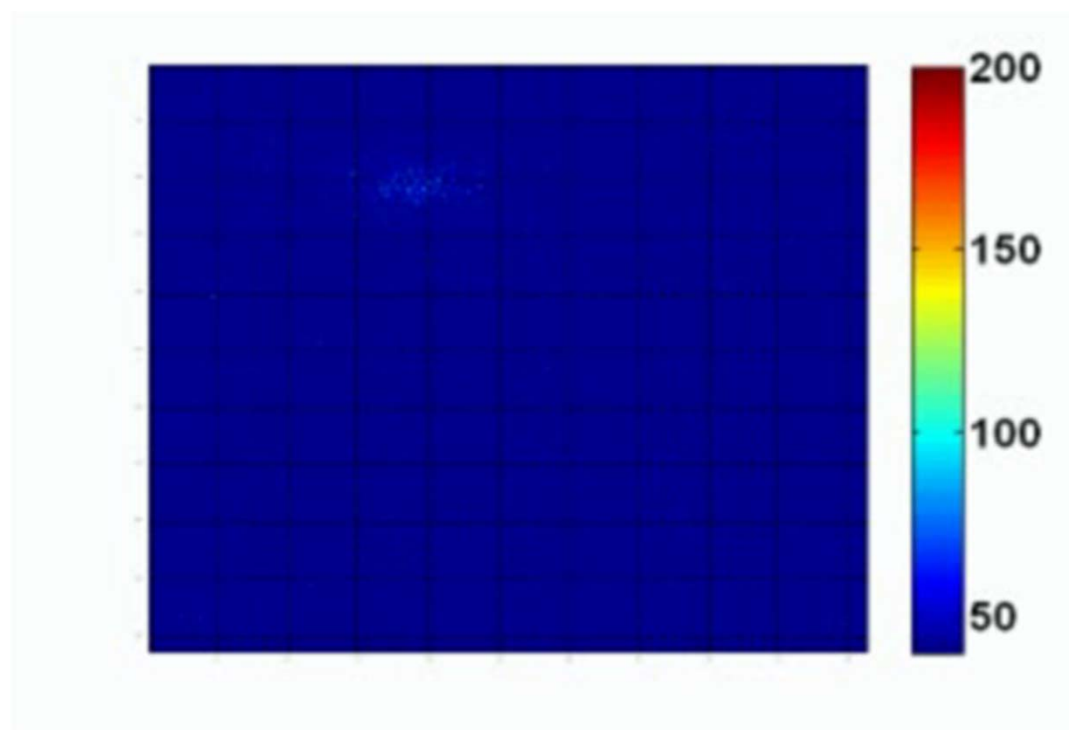
21 mA Beam

Multiple images are taken every 3 ns along the ~110 ns beam



$+\vec{y}$

37.3 mm



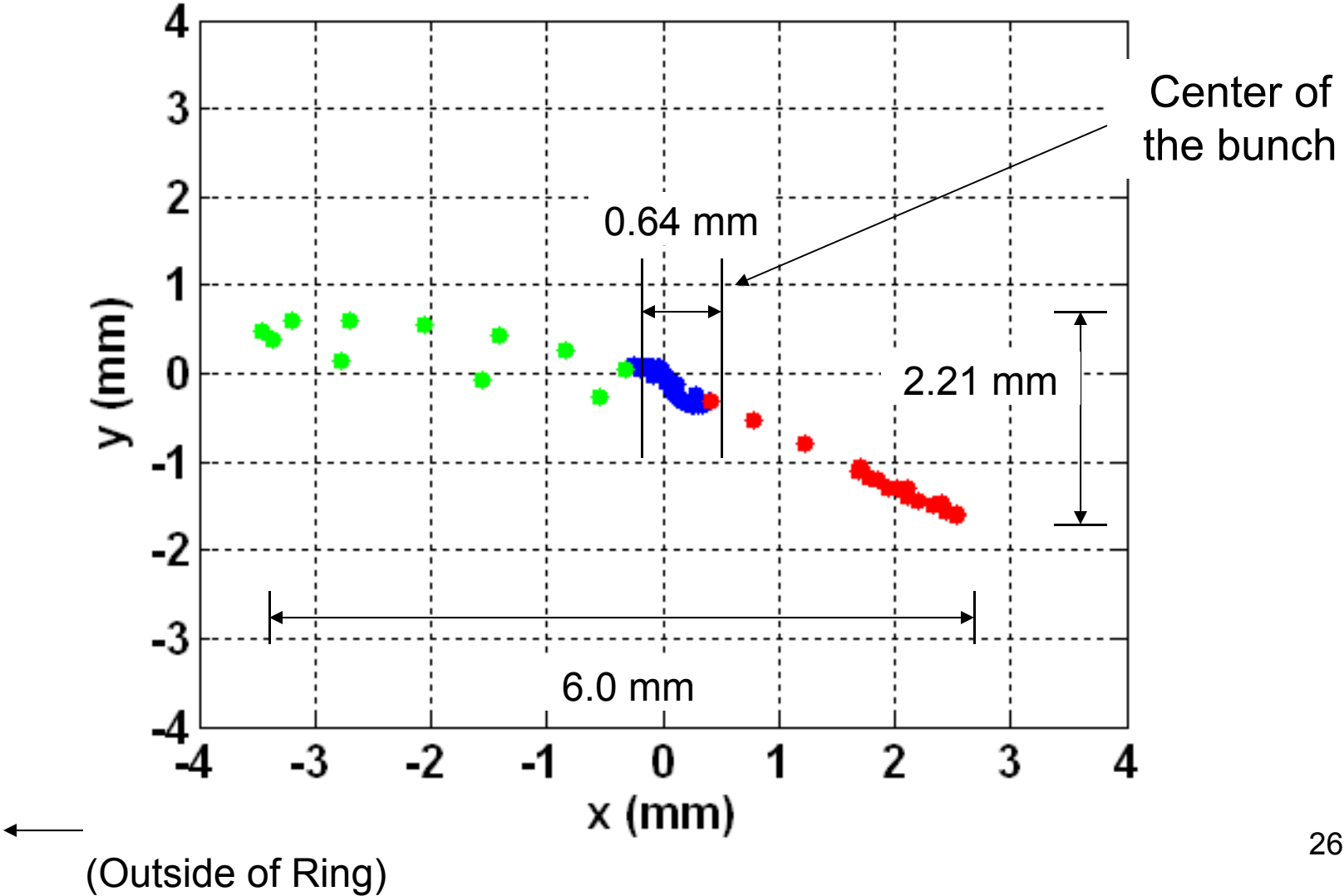
37.3 mm

$+\vec{x}$

1st Turn Intercepting Diagnostic Measured at Ring Chamber 15

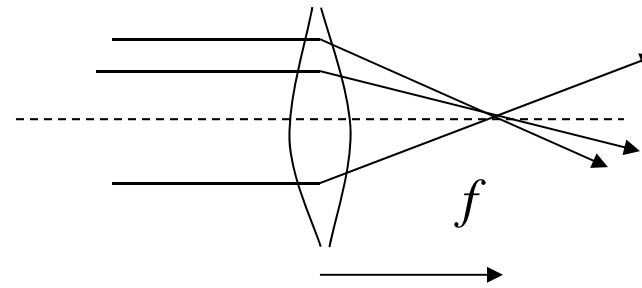
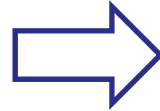
Centroid Deflection across the Bunch Length

Pipe Diameter = 50.8mm



Quadrupole Focusing Dependence on Momentum

$$\Delta\theta \approx -\frac{B_x(x)l}{(B\rho)} = -\frac{B'l x}{(B\rho)}$$

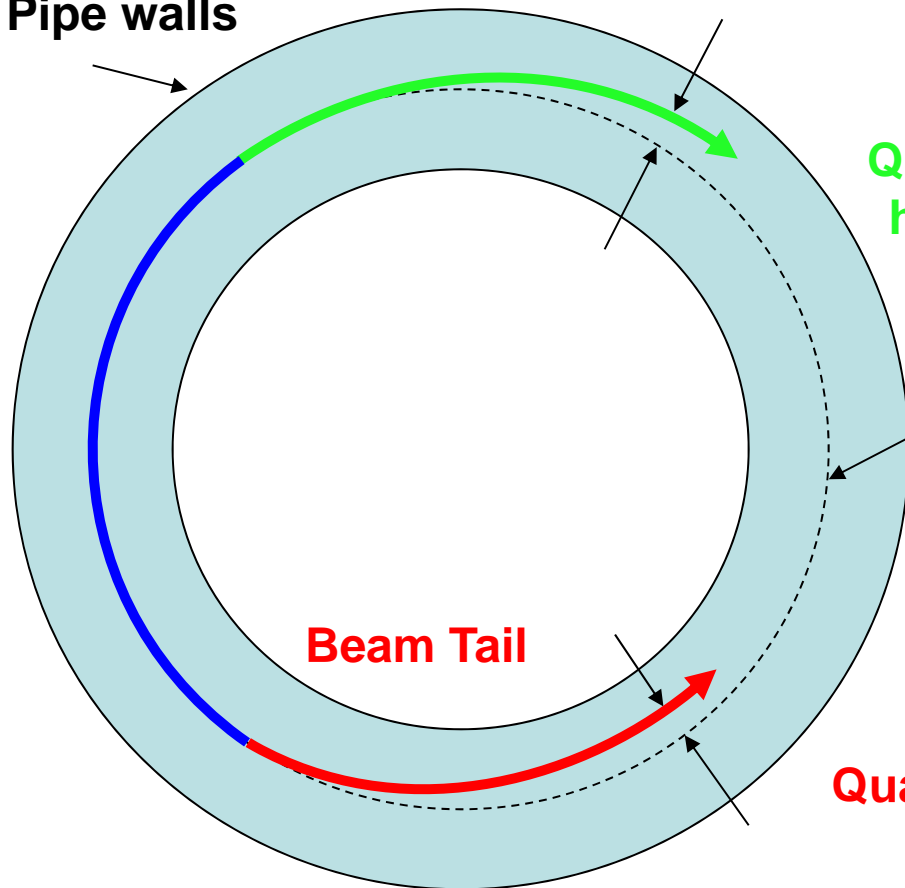


$$f = \frac{(B\rho)}{B'l}$$

Beam Head

On average higher momentum particles =
Quadrupoles will effectively have a longer focal length

Pipe walls



Ideal Orbit

Beam Tail

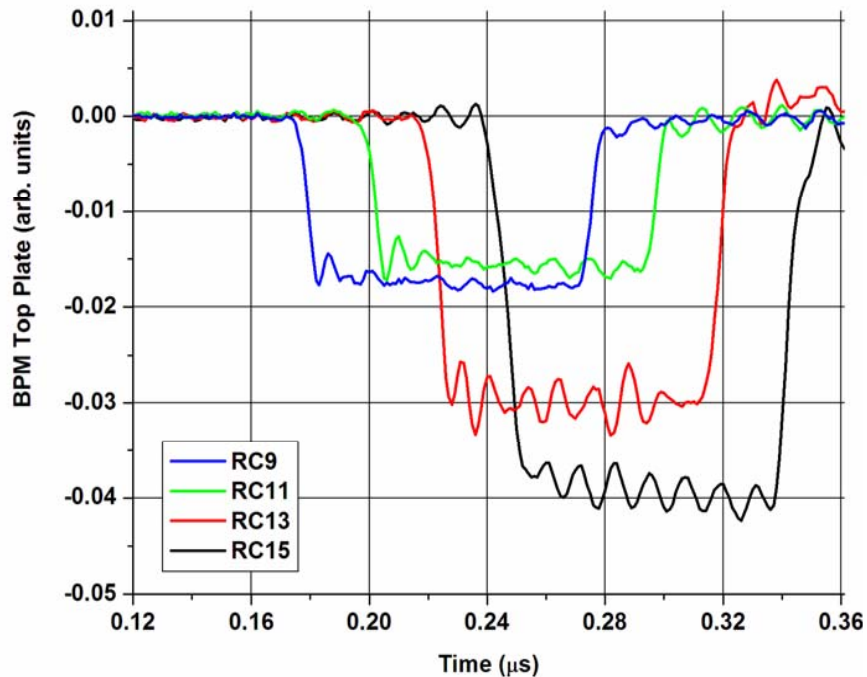
On average lower momentum particles =
Quadrupoles will effectively have a shorter focal length

$$\sin \frac{\mu}{2} = \frac{L}{2f}$$

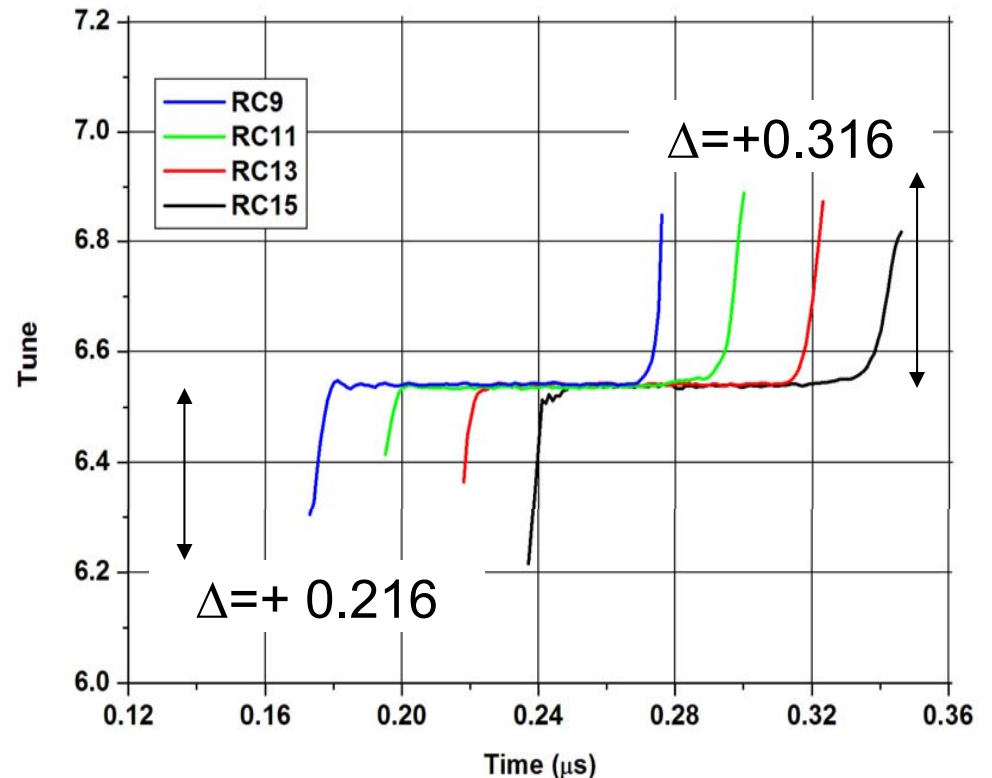
$$\nu \equiv \frac{1}{2\pi} \oint \frac{ds}{\beta(s)} = \frac{1}{2\pi} N_{cell} \mu_{cell}$$

Fractional Tune-Shift at the Ends of the Beam

Direction beam position monitor signal



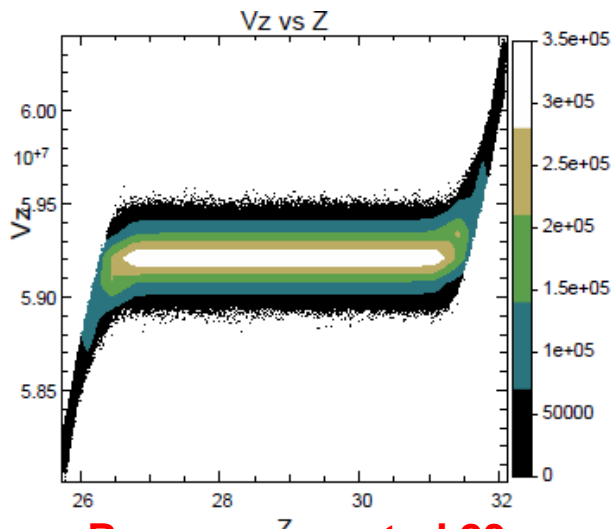
A fractional tune shift appears at the ends of the bunch, corresponding to the momentum deviations at the ends.





Allowing the Beam to Coast Indefinitely

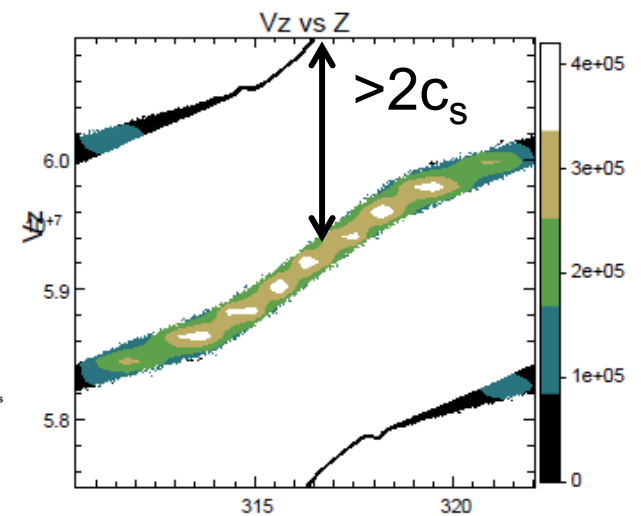
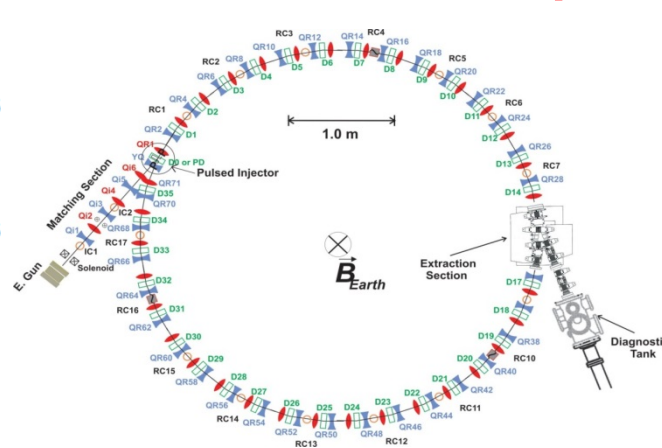
Inter-Stream Spacing Shrinks as the Bunch wraps



Beam propagated 23 m

$\Delta L > 0.56C$

Simulated Phase Space



Beam propagated 310.5 m

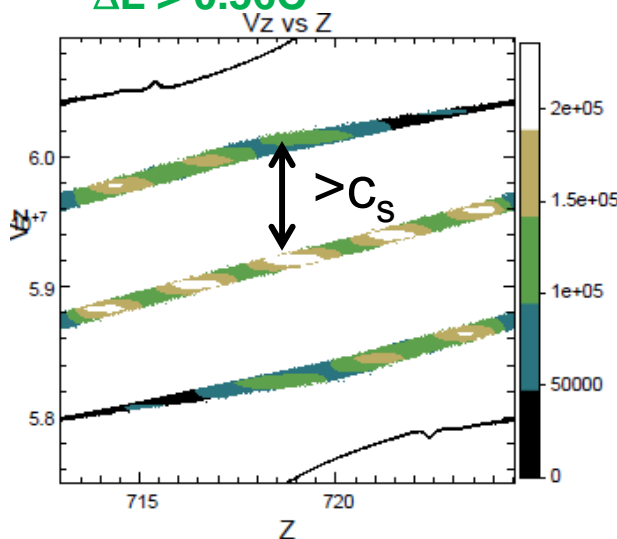
$\Delta L = 2C$

$\Delta L =$ Bunch length

$C =$ Ring circumference

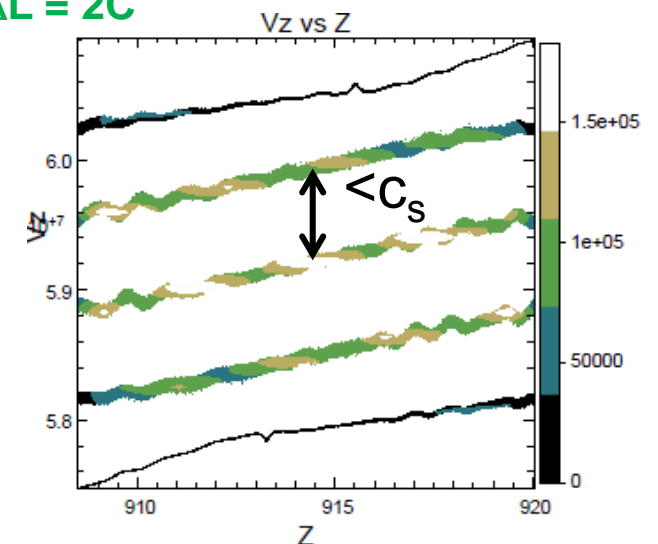
Injected length

$\Delta L = 0.5C$



Beam propagated 713 m

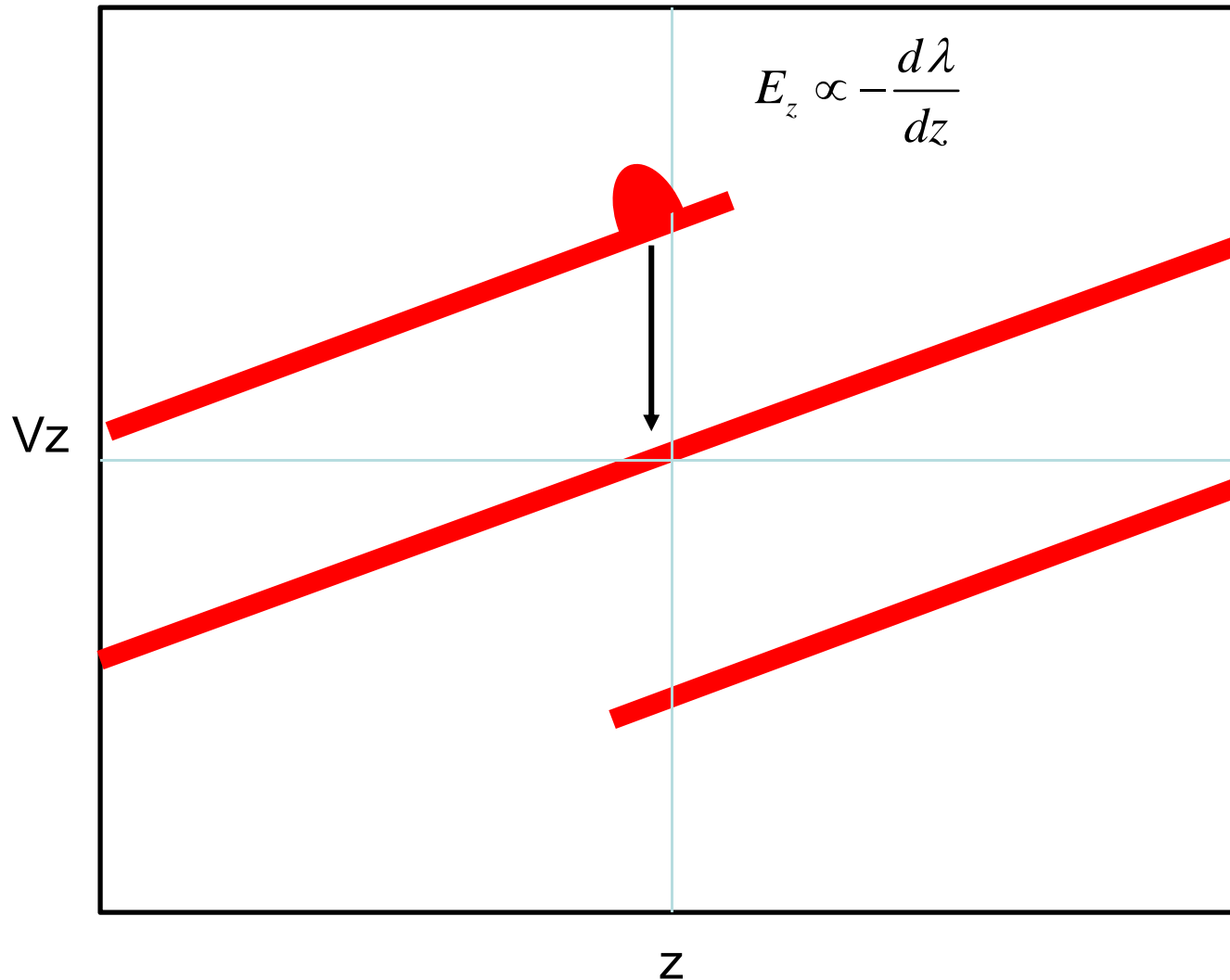
$\Delta L > 4C$



Beam propagated 908.5 m

$\Delta L = 5C$

Wrapped Streams Couple to Subsequent Streams

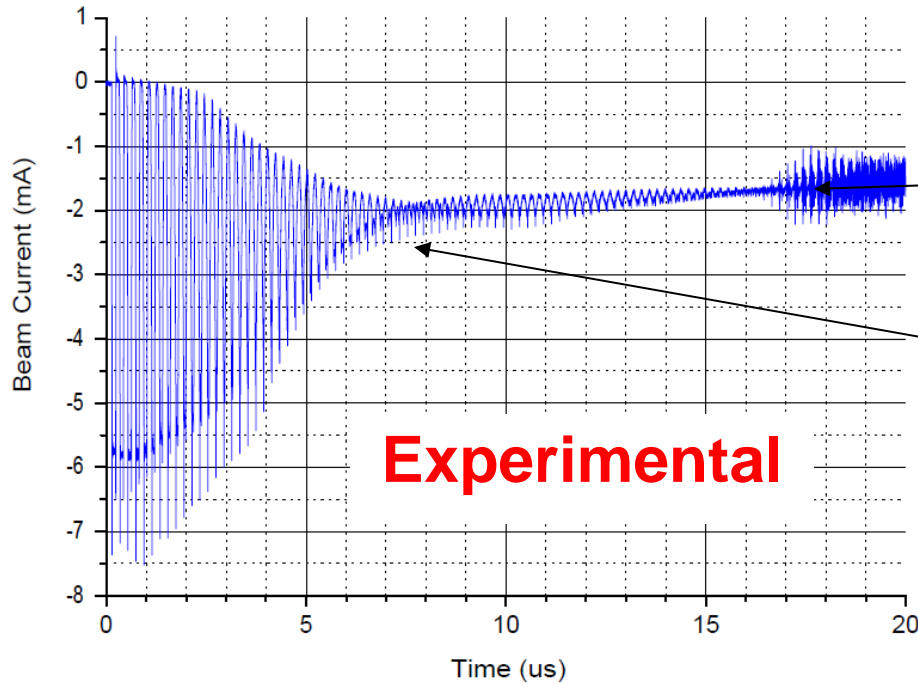


Density perturbations create axial electric fields that perturb other streams close in proximity.

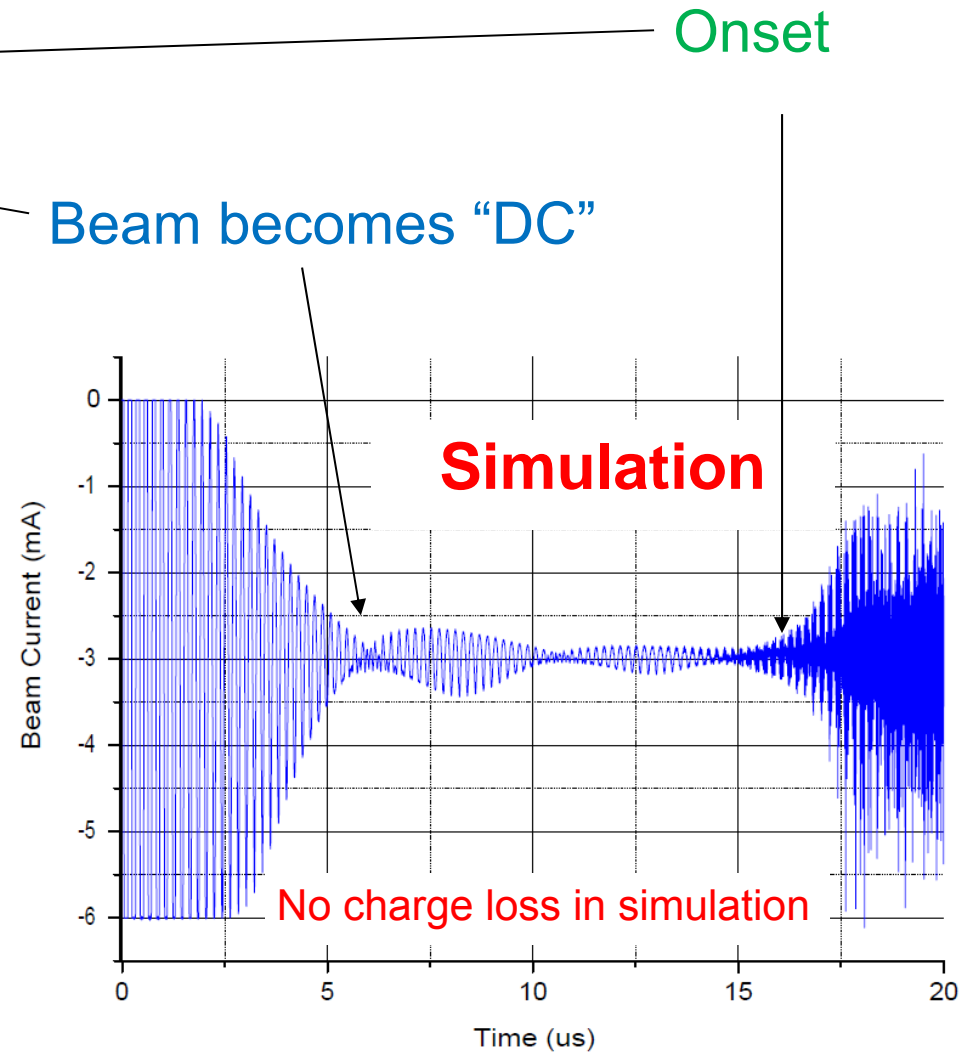
This creates other density modulations that further seed others. This self-amplification creates high-frequency modulations in the beam.

Signature of the Onset in the Current Profiles

Current Profiles from a Wall Current Monitor



6 mA beam
 $\eta = 0.50$

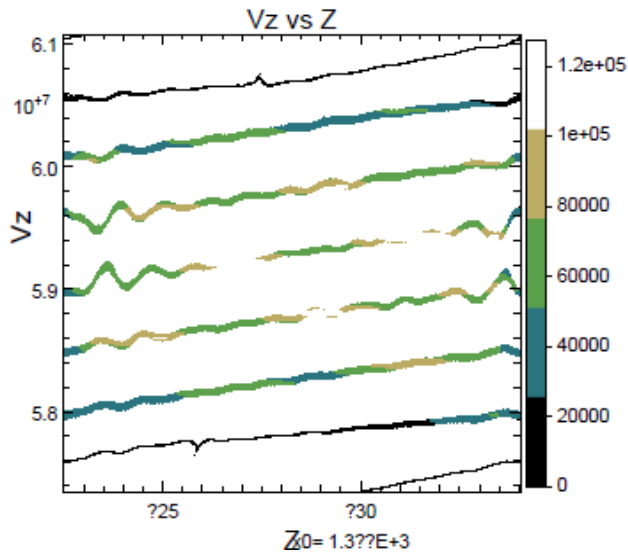


Fill Factor Dependence on the Number of Filamentations

The growth rate of the modulations in phase space is also dependent on the fill factor

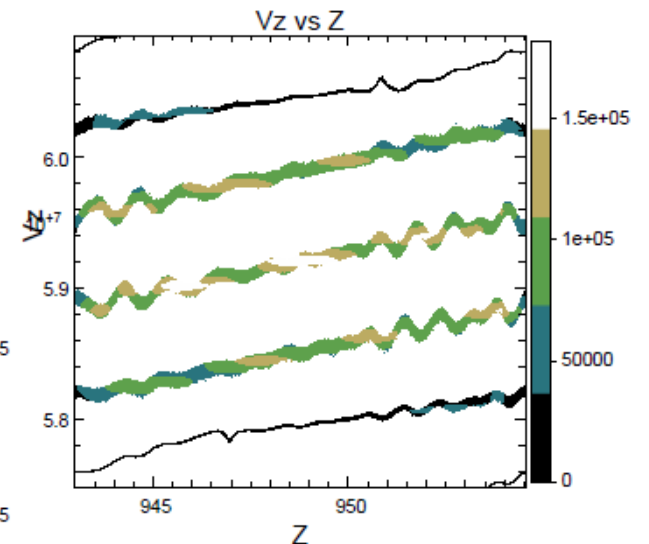
Phase Space (6 mA beam)

70 ns long bunch



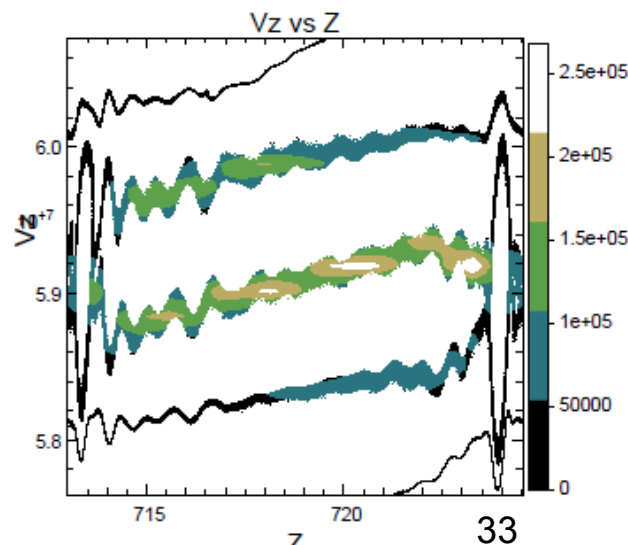
$\Delta L > 7C$ $\eta = 0.35$

100 ns long bunch



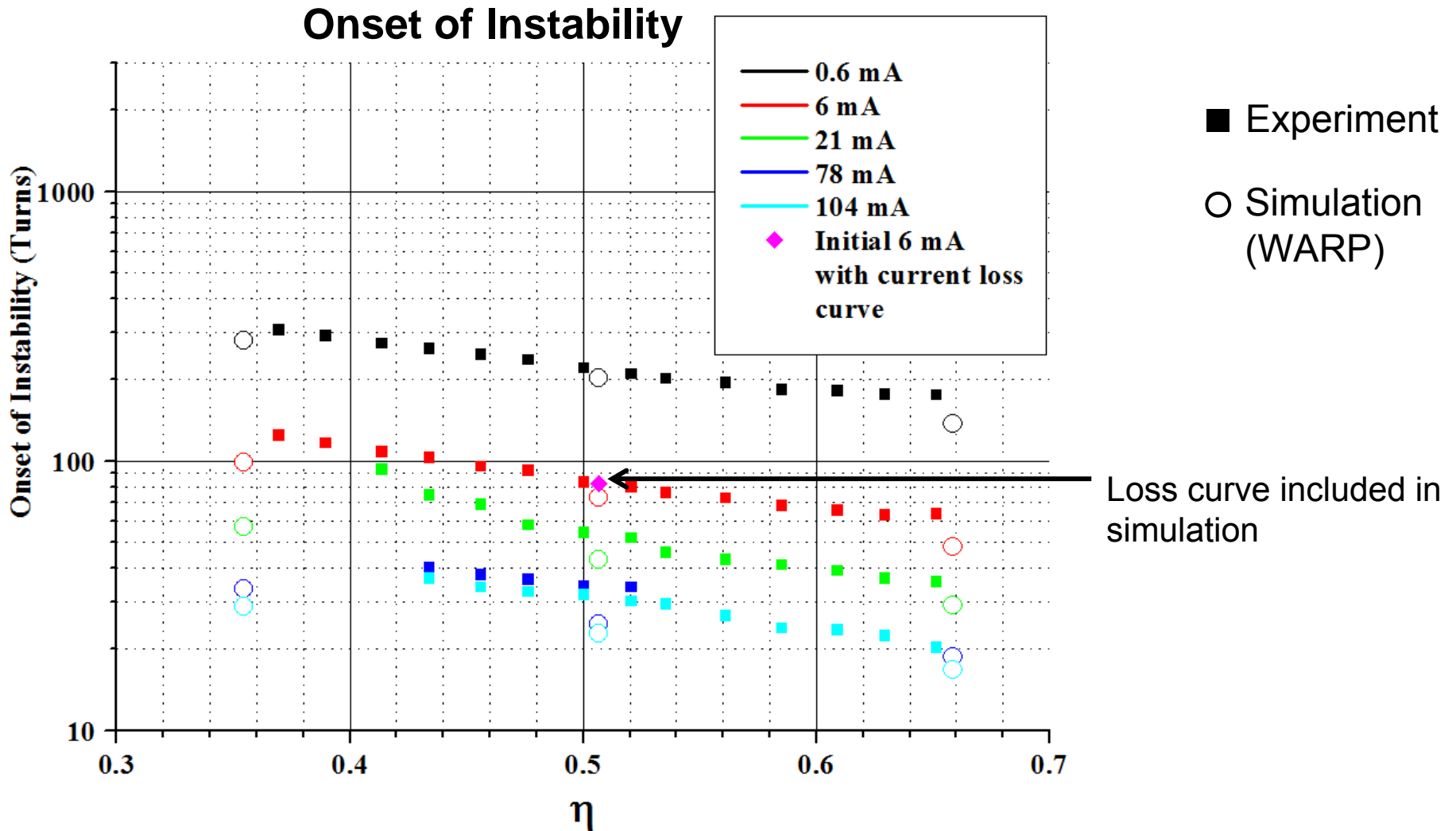
$\Delta L > 5C$ $\eta = 0.50$

130 ns long bunch



$\Delta L > 3.5C$ $\eta = 0.66$

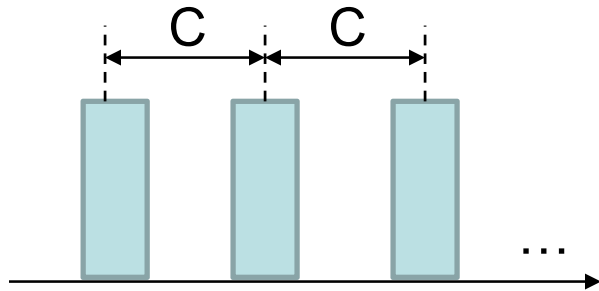
Fill Factor and Current Dependence on the Onset



$$\eta = \text{fill factor} = \frac{\text{bunch length}}{\text{period of revolution}}$$

Extending to Multiple Short Bunch Trains

Multi-Bunch Train



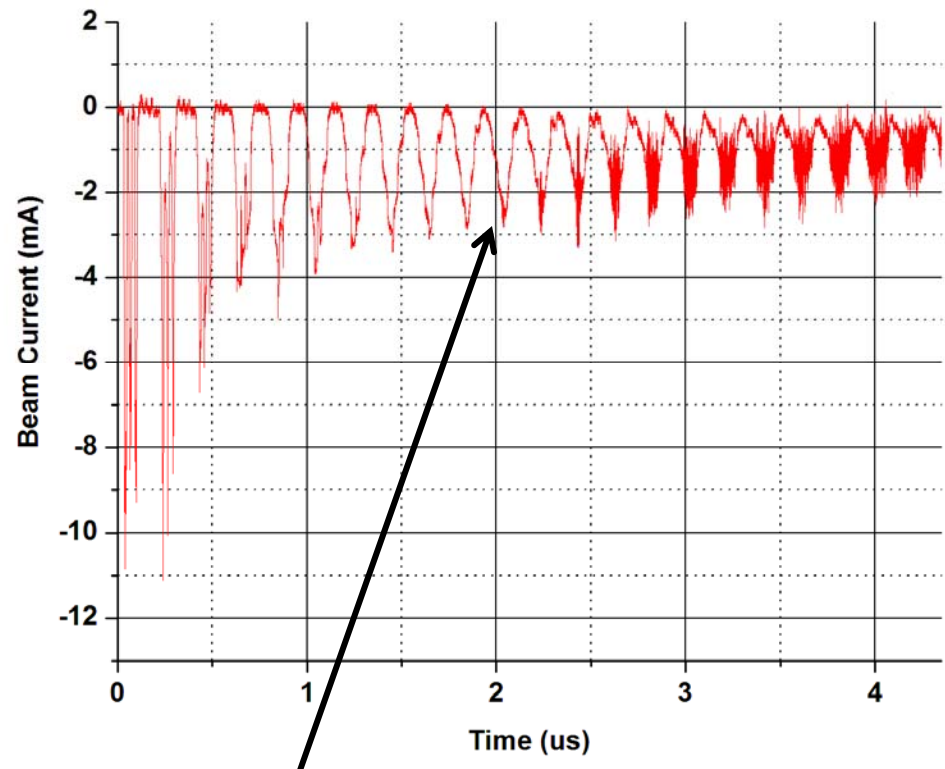
For multiple bunch trains, C is the pulse to pulse spacing

$$C = (20ns)v_o = 1.167m$$

$$\eta = \frac{12.57ns}{197.39ns} = 0.0636$$

Experimental Observation

7.7 mA beam
3 pulse bunch train at 50 MHz



Onset of instability

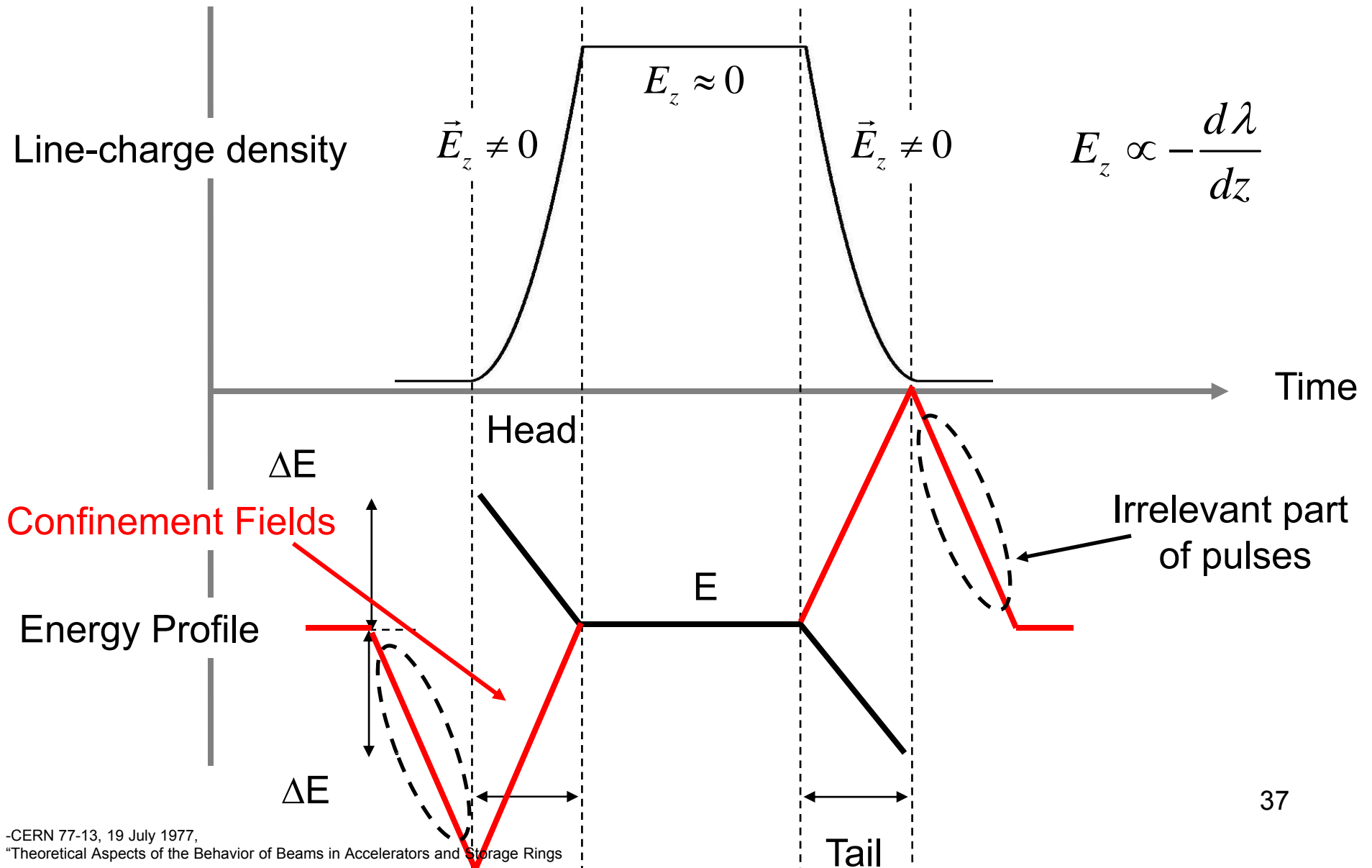
$$s_{\text{onset}} = 132.7 \text{ m}$$

$$\text{turns}_{\text{onset}} = 11.5$$



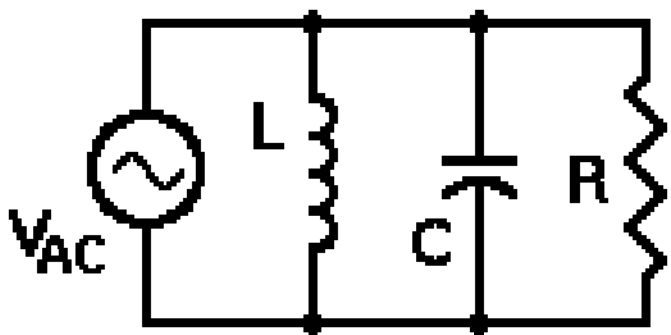
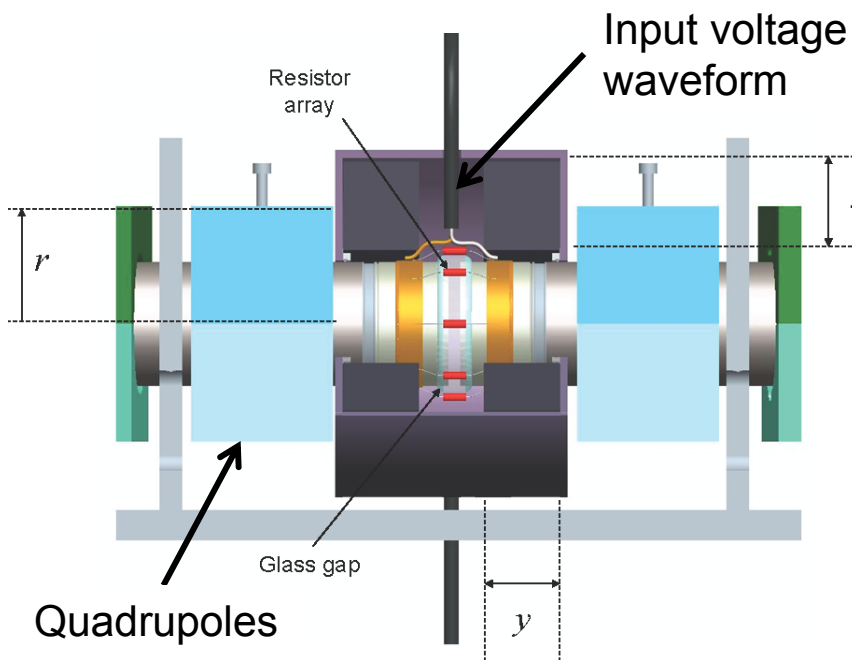
Longitudinal Dynamics with Barrier Buckets

Longitudinal Physics

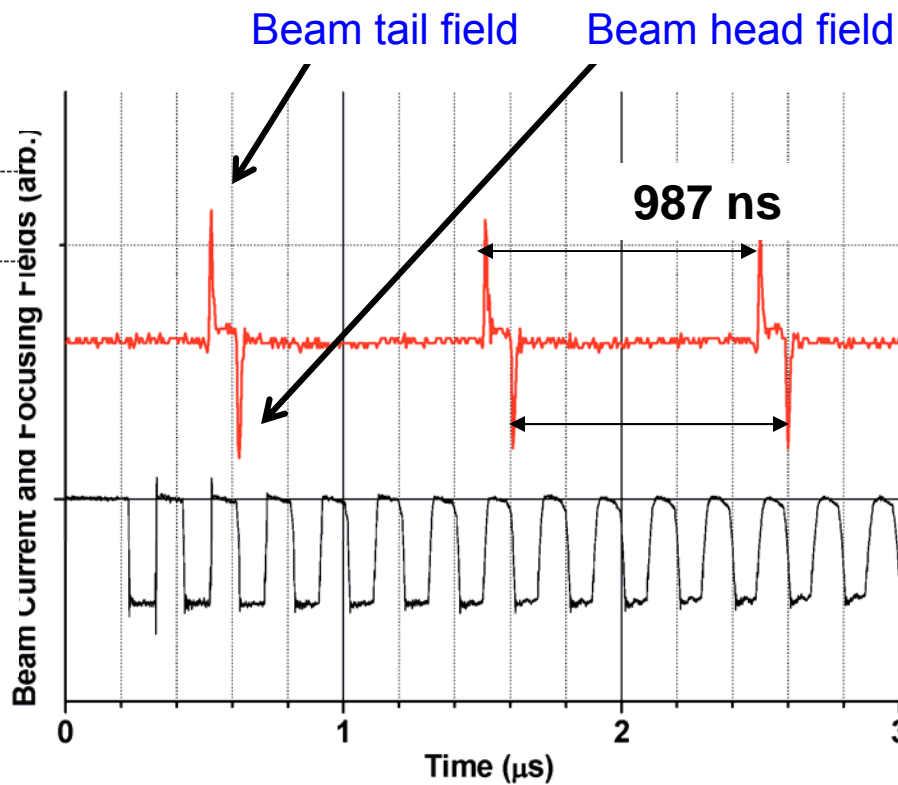


Barrier Buckets to Confine Beam-Ends

Induction Cell in between
Quadrupoles



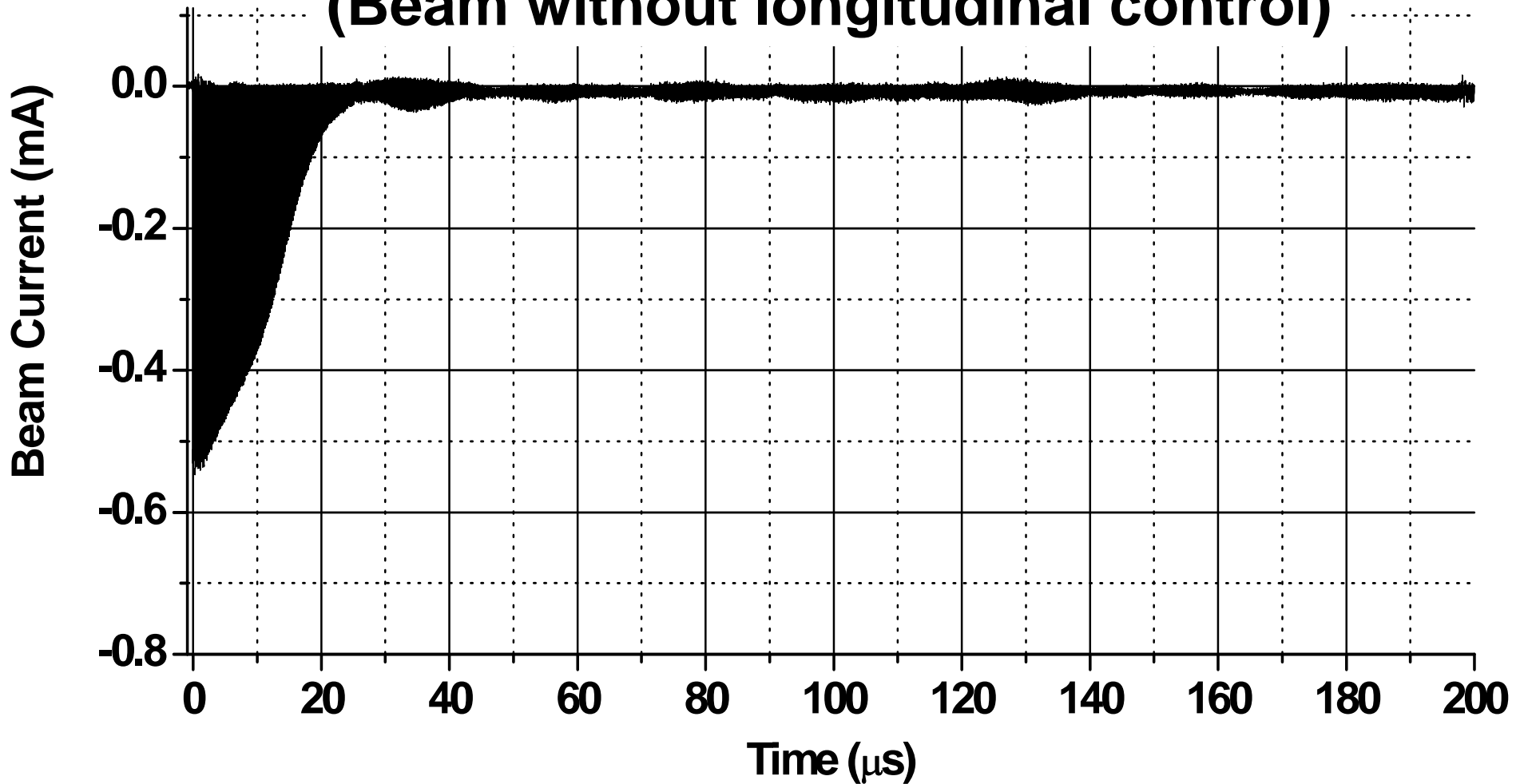
Barrier fields synchronized to revolution
frequency



Beam revolution frequency 5.066 MHz

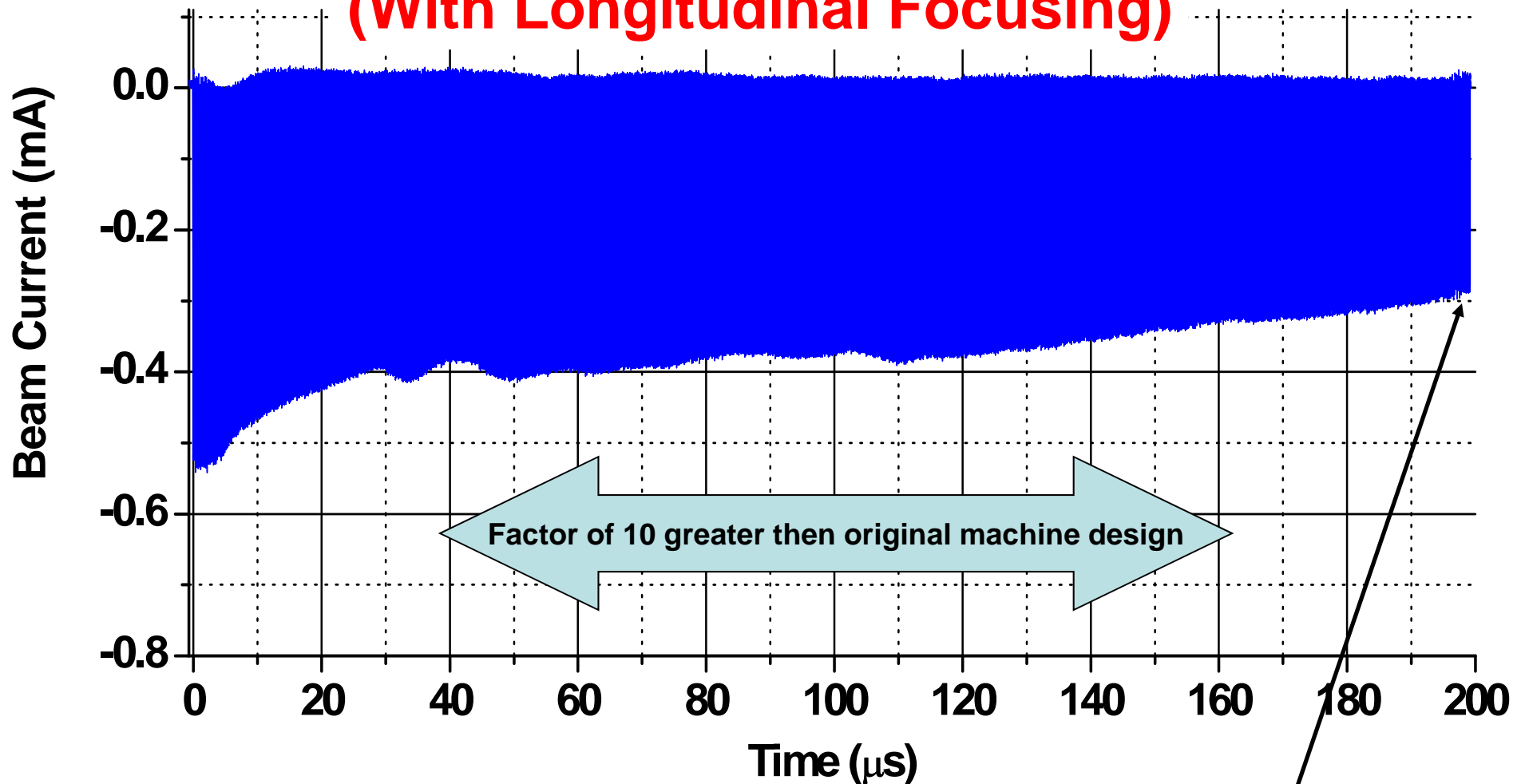
Bunch Shape Diminishes as a Result of Longitudinal Space-Charge Forces

(Beam without longitudinal control)



Bunch Lifetime is Extended with Longitudinal Control

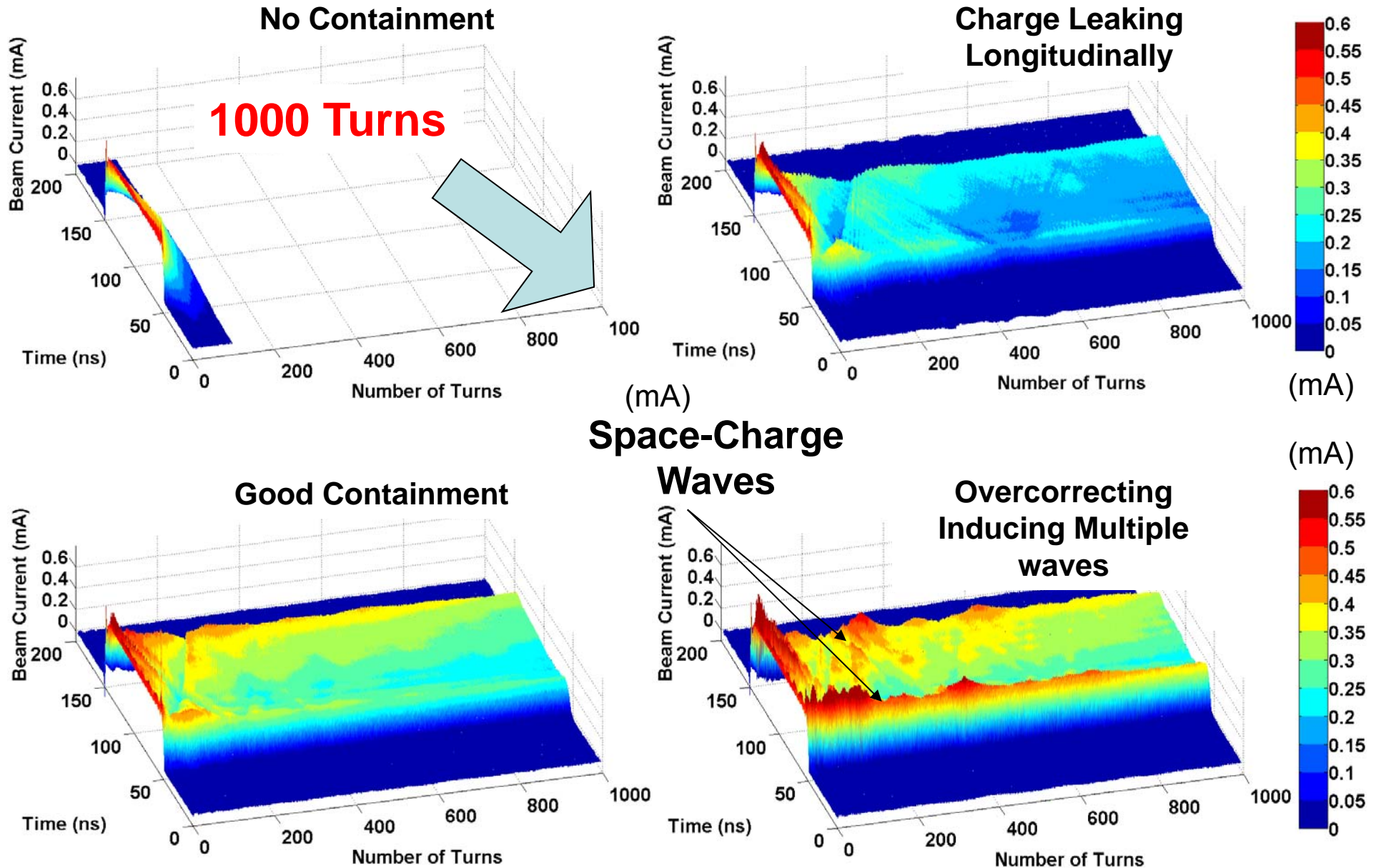
(With Longitudinal Focusing)



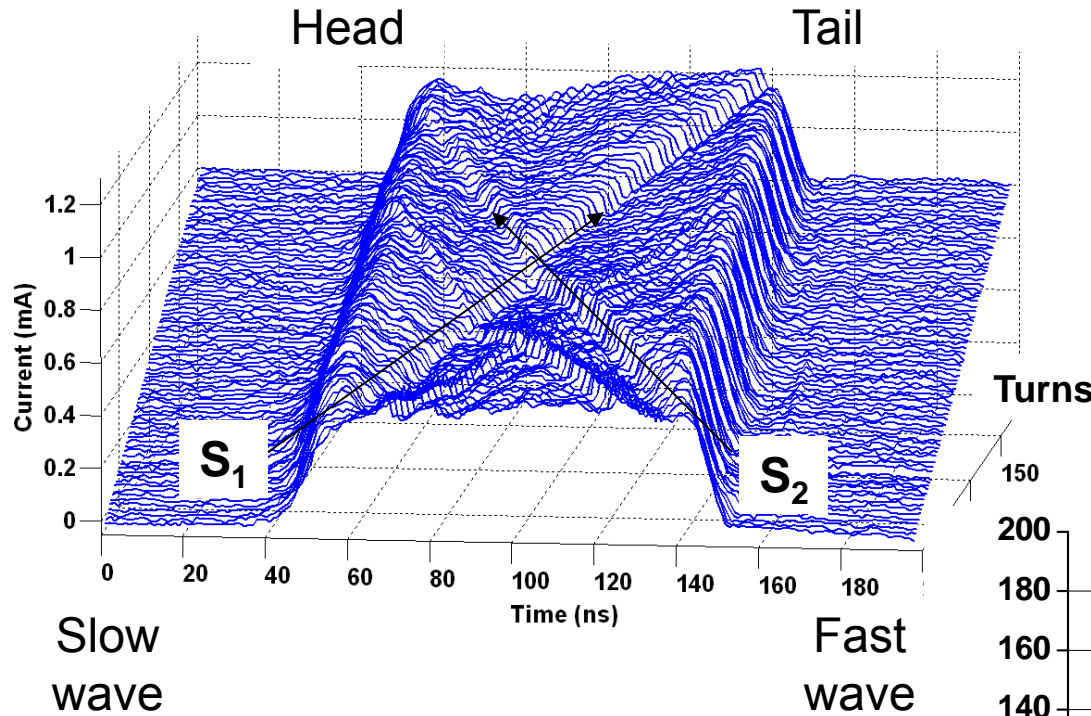
~1011 Turns

40

Experimental Results of Longitudinal Bunch Shape



Waves Propagate/Reflect Along a Confined Bunch



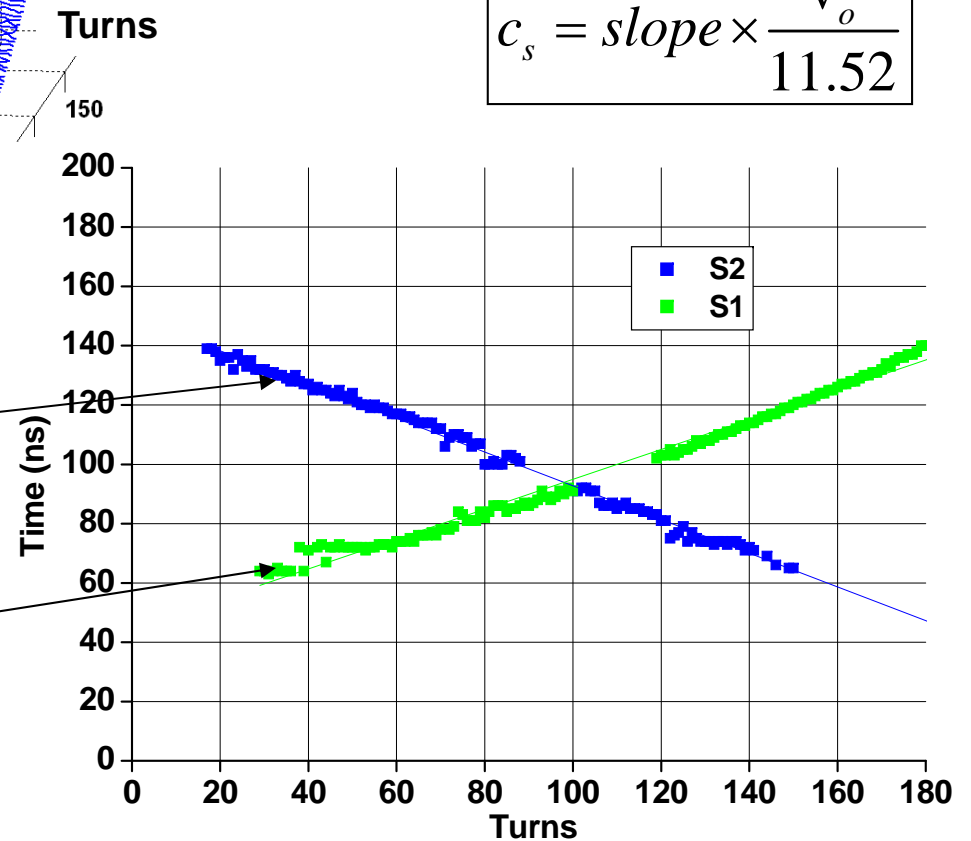
Wave velocity

$$c_s = \sqrt{\frac{qg\lambda}{4\pi\epsilon_o\gamma_o^5 m}}$$

$$c_s = slope \times \frac{v_o^2}{11.52}$$

$$0.569ns / turn = 1.68(1 \times 10^5) m / s$$

$$0.503ns / turn = 1.49(1 \times 10^5) m / s$$



Analogy to Transmission Lines

Reflection Coefficient

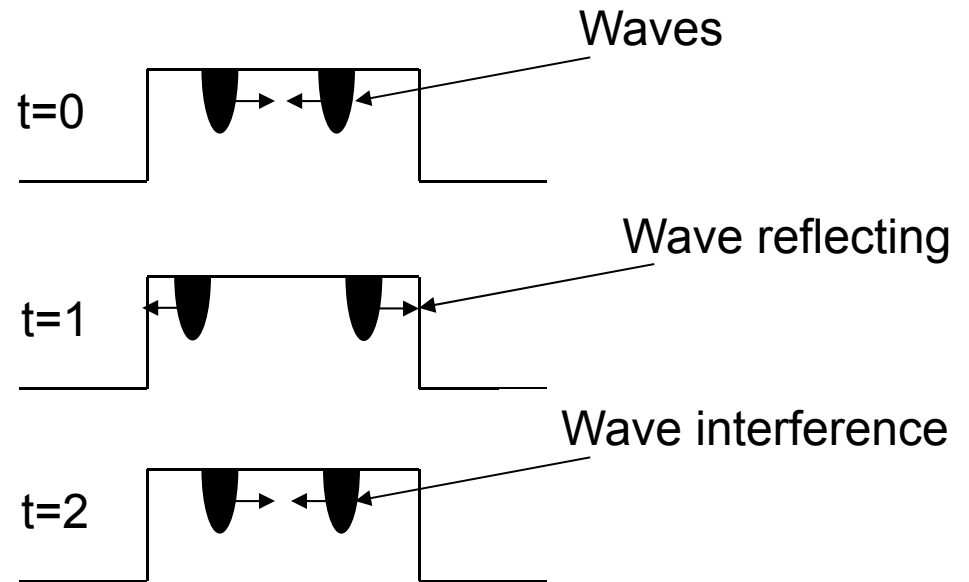
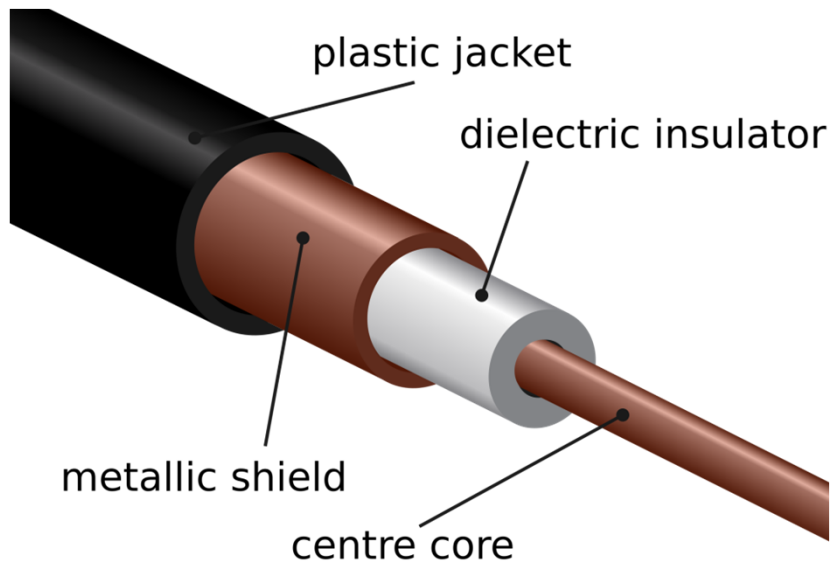
$$\Gamma = \frac{Z_L - Z_o}{Z_L + Z_o}$$

$\Gamma = 1, Z_L \gg Z_o, \textit{open circuit}$

$\Gamma = -1, Z_L \ll Z_o, \textit{short circuit}$

$$\Gamma = 1$$

Waves moving along a confined bunch corresponds to a wave reflecting on a transmission line



UMER Realignment



<https://youtu.be/EZcCYs80T8k>



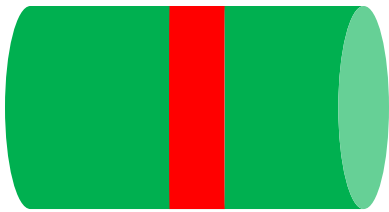
Additional Slides

Space-Charge Waves on Long Beams

Perturbations to the beam density and/or energy initiates a fast and slow space-charge wave

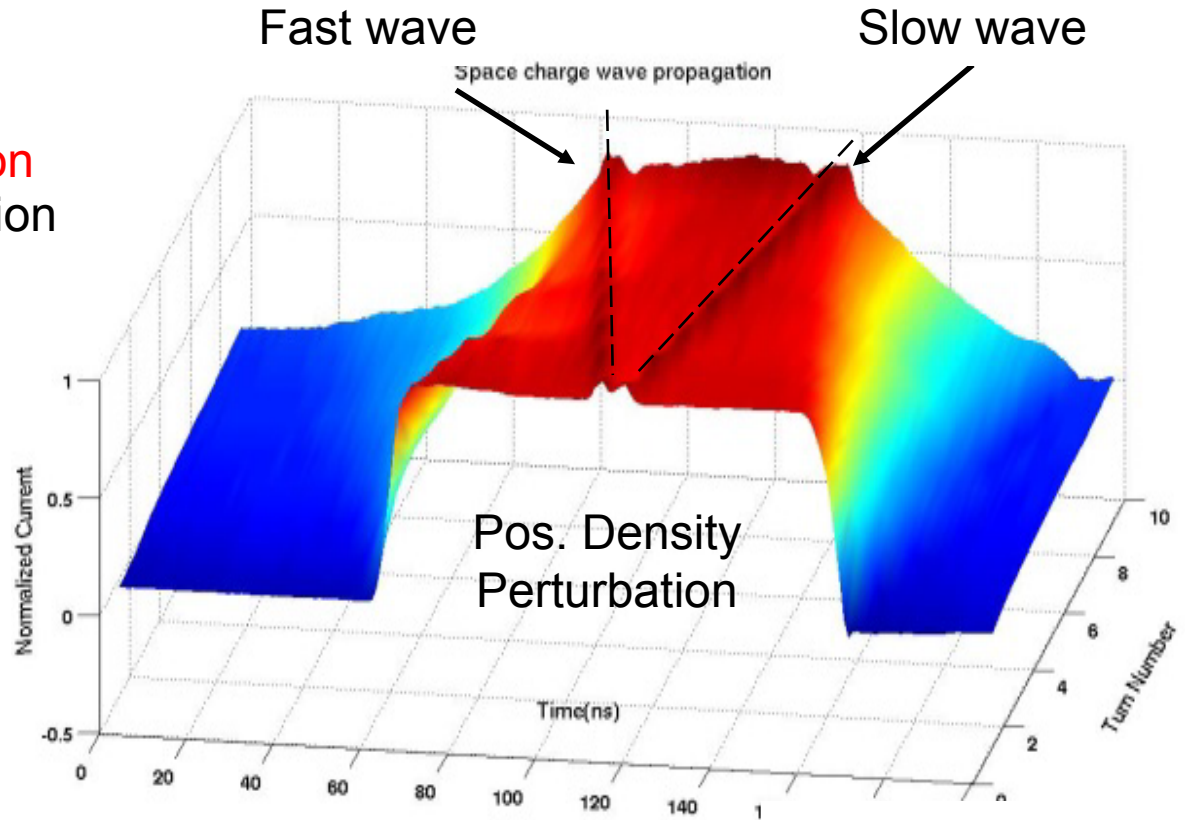
$$(\omega - v_o k)^2 = c_{so}^2 k^2$$

$$c_{so}^2 = \frac{qg}{4\pi\epsilon_0\gamma_0^5} \lambda_0$$



Density and/or energy perturbation
Wave Amplitude for a perturbation

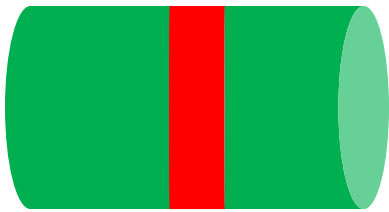
	+F	-F
+S	Pos. Density Perturbation	Neg. Energy Perturbation
-S	Pos. Energy Perturbation	Neg. Density Perturbation



Experimental

Space-Charge Waves on Long Beams

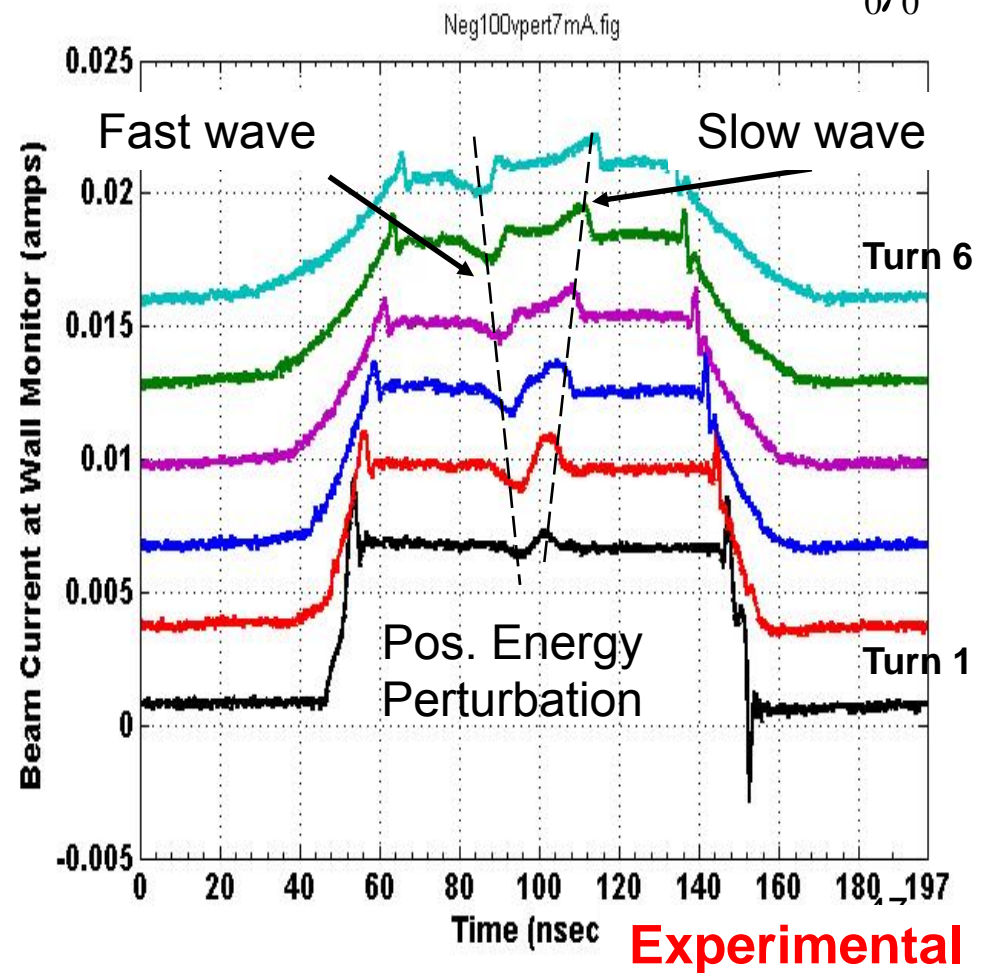
Perturbations to the beam density and/or energy initiates a fast and slow space-charge wave



Density and/or energy perturbation
Wave Amplitude for a perturbation

	+F	-F
+S	Pos. Density Perturbation	Neg. Energy Perturbation
-S	Pos. Energy Perturbation	Neg. Density Perturbation

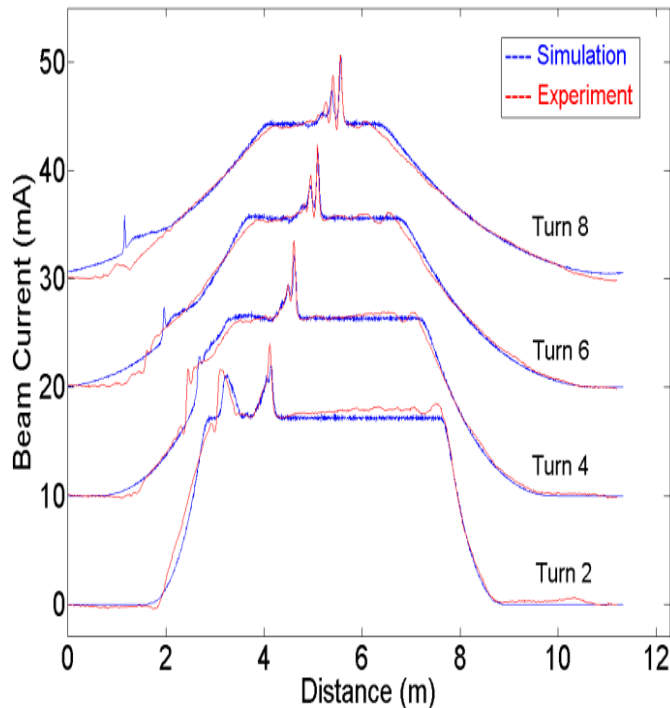
$$(\omega - v_o k)^2 = c_{so}^2 k^2 \quad c_{so}^2 = \frac{qg}{4\pi\epsilon_0\gamma_0^5} \lambda_0$$



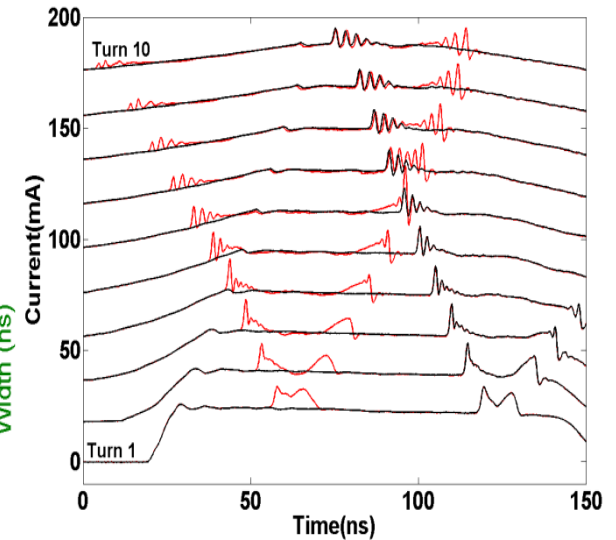
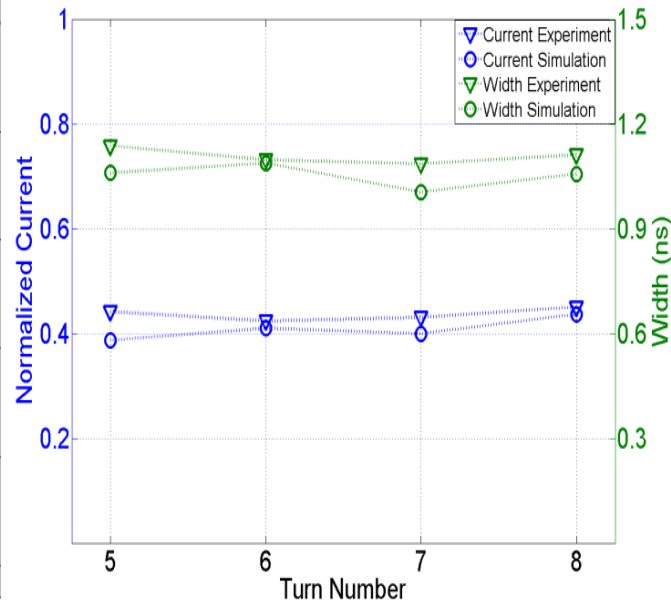
Soliton Wave Trains on Intense Beams

- With a large and narrow perturbation on a long intense beam, the perturbation begins to steepen and spawn soliton wave trains
- The pulse width and amplitude remains unchanged over a long propagation distance

Experimental and Simulation Comparison



Sub pulses maintain their shape

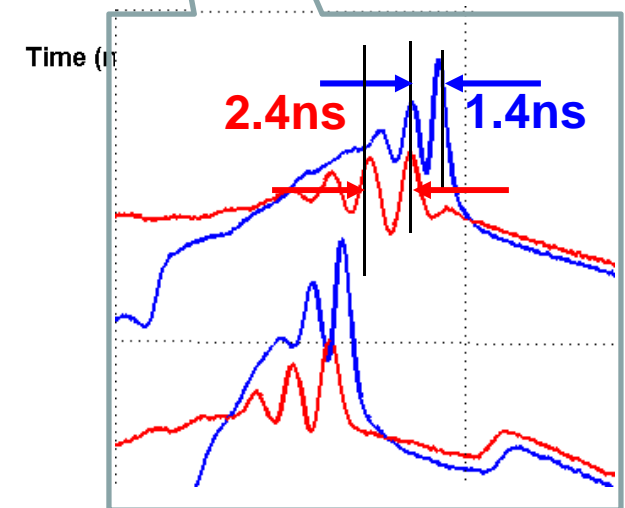
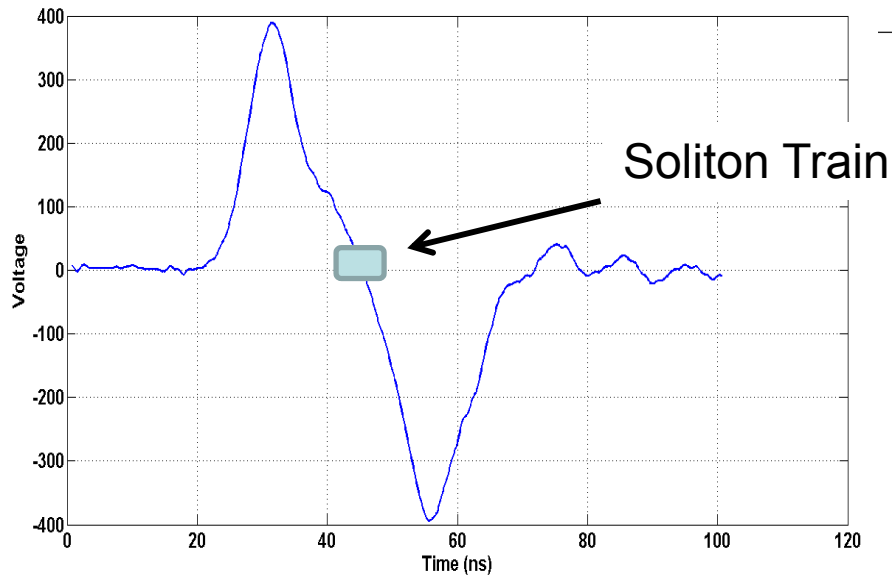
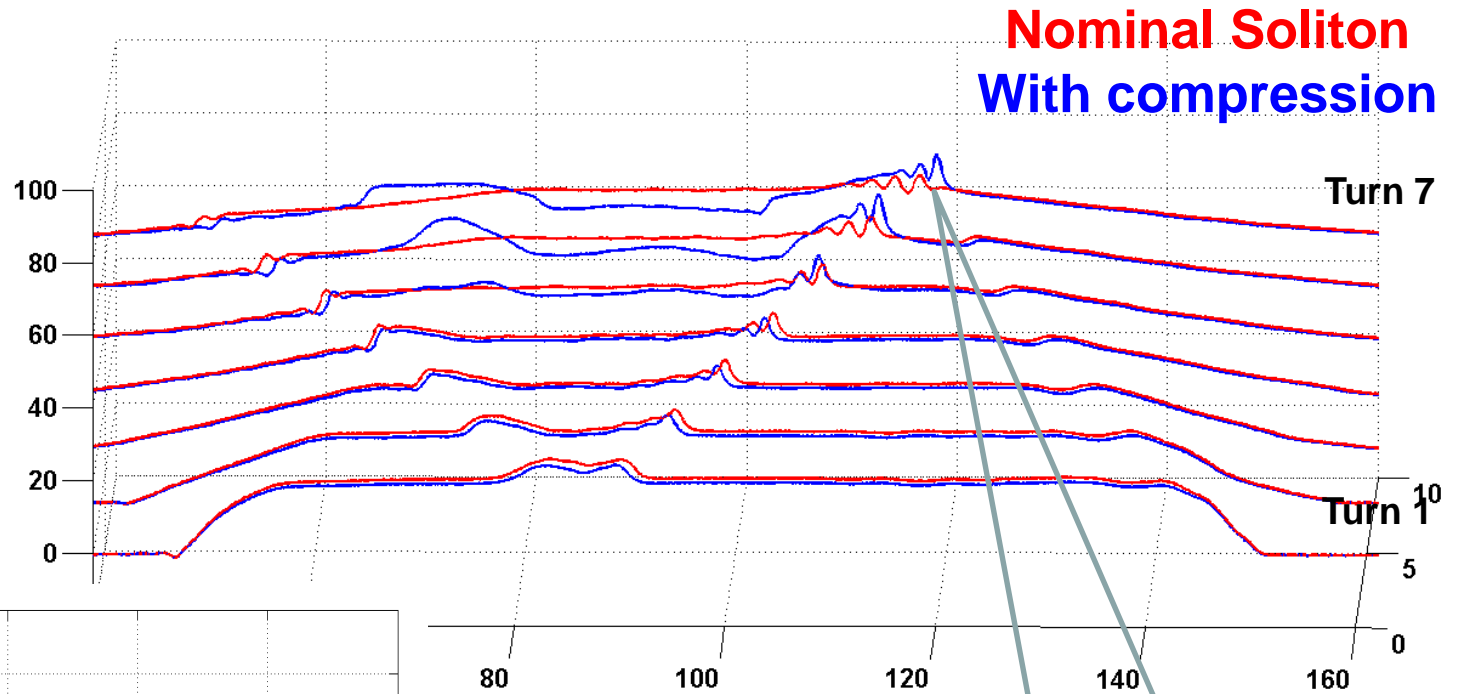


Interaction with other solitons and emerges unchanged

48

Soliton Compression

Both focusing ears are placed next to each other in order to create the ramped

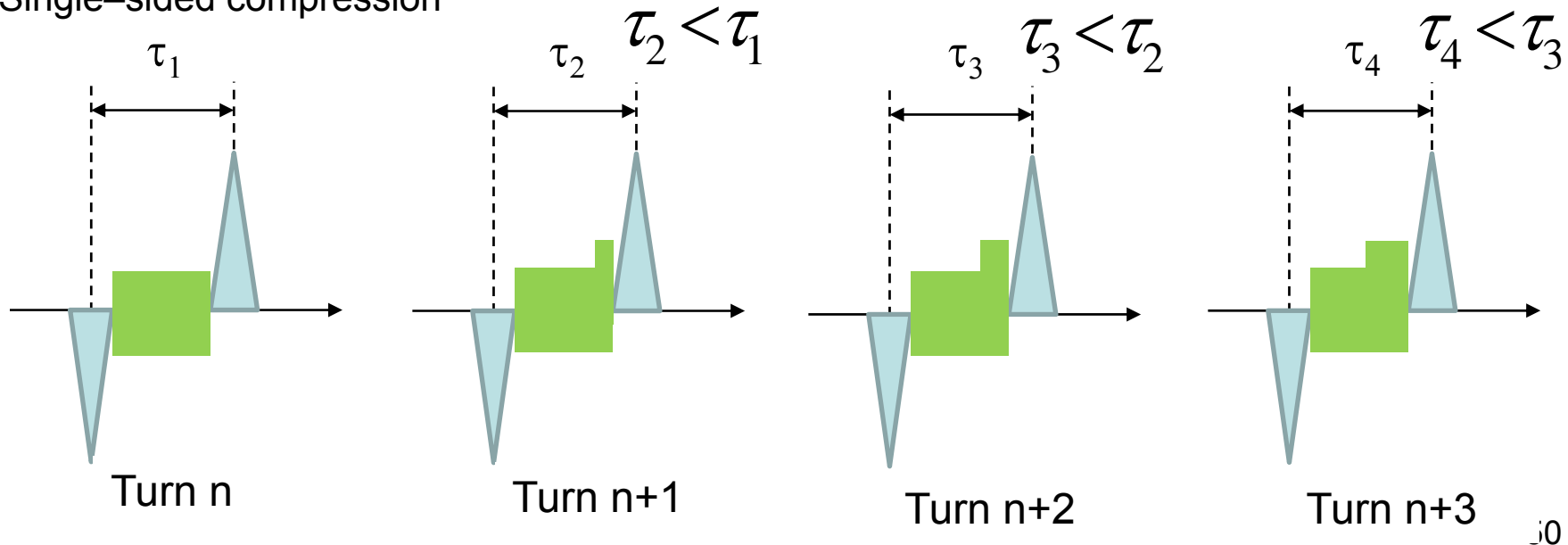


Shock-Wave Bunch Compression

- Bunch compression in barrier system is usually slow
- The presence of longitudinal space-charge improves the efficiency of barrier compression by taking advantage of the shock-front that launches naturally if the barrier moves in a space-charge dominated beam
- The duration depends on the velocity of the shock front

Creating the shock-front

Single-sided compression



Simulations of Barrier Shock-Compression

The 0.6 mA beam

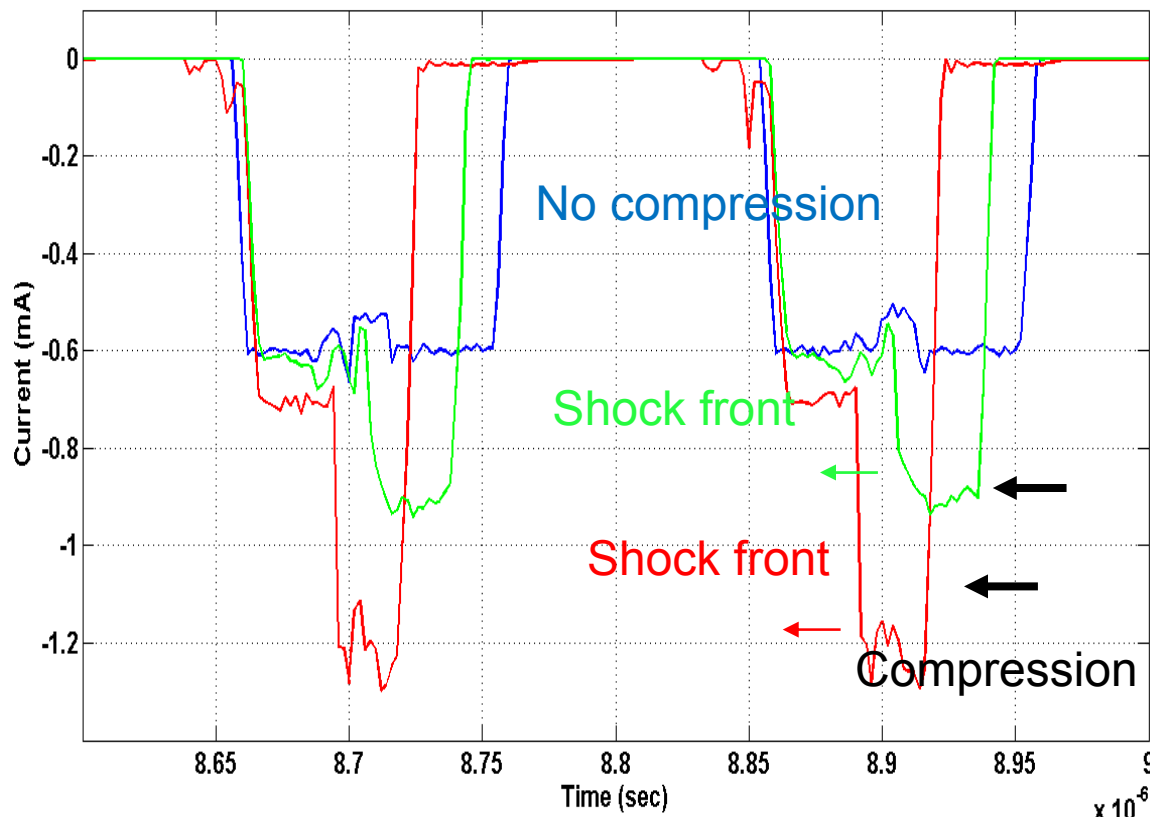
$$\frac{C_{so}}{V_o} = 0.0049$$

Initially
 $\eta = 0.50$

Current as a function of time

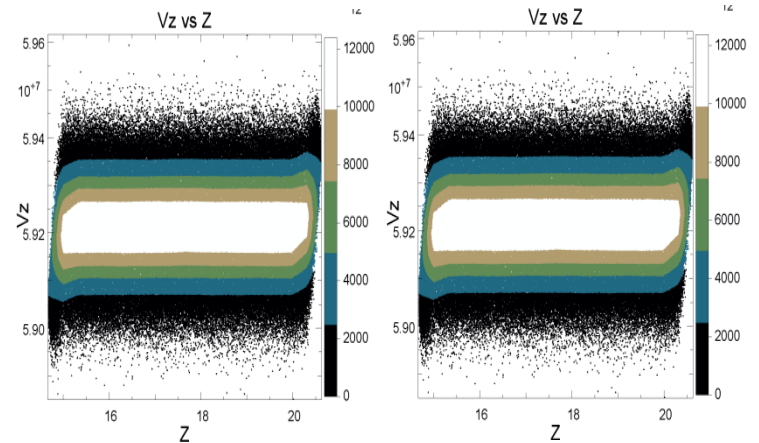
Turn 45

Turn 46



Phase Space

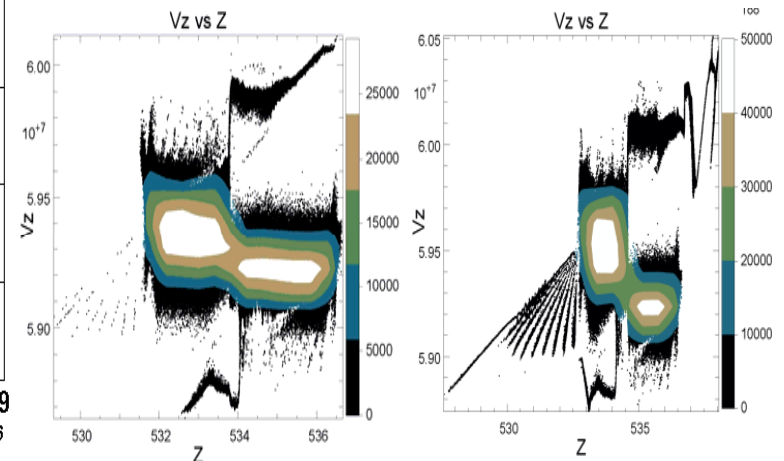
Slightly after Injection



$u_b = 1.08E5 \text{ m/s}$

$u_b = 2.42E5 \text{ m/s}$

Turn 45



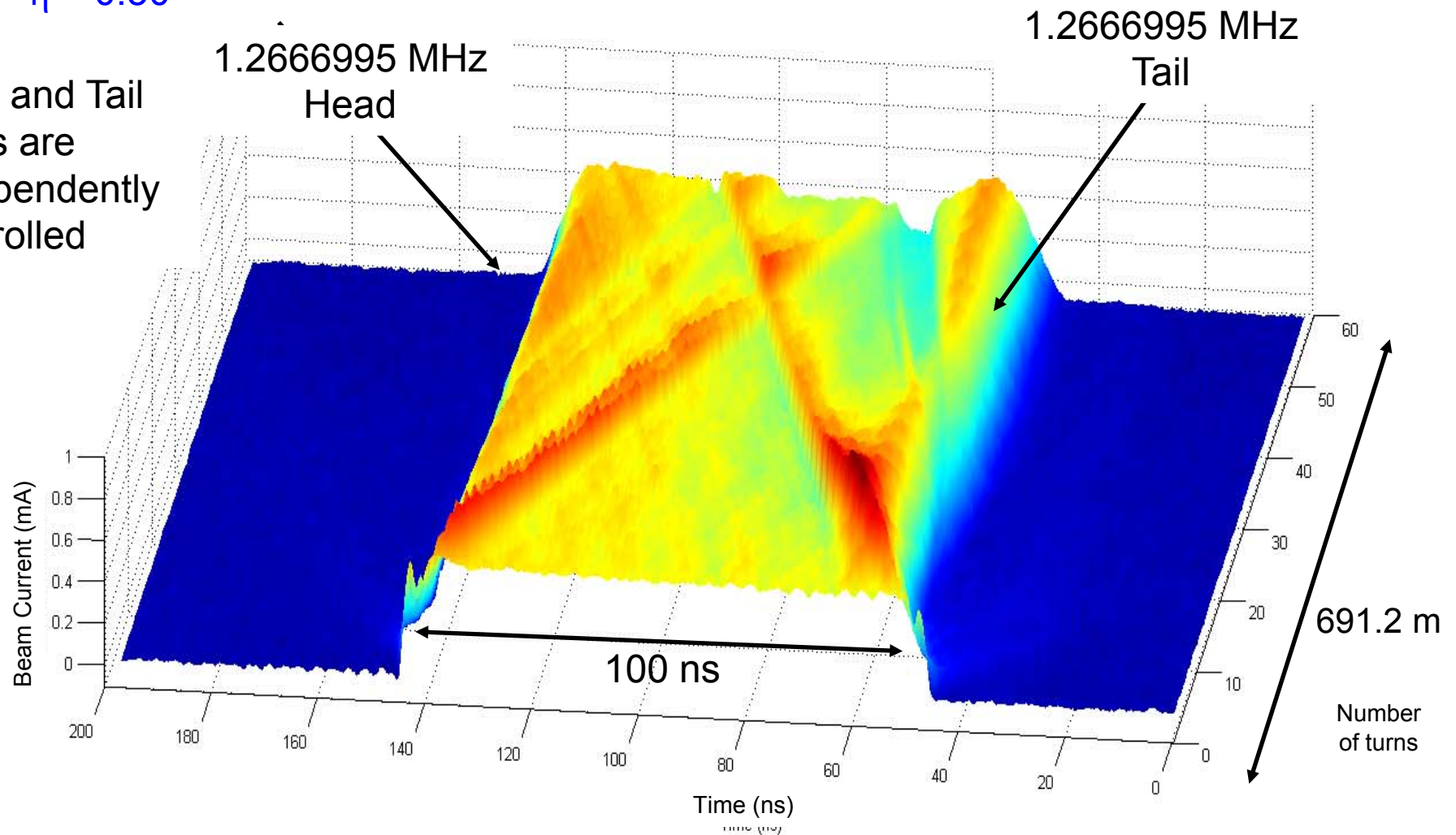
Experimental Results of Symmetric Focusing

Nominally Contained No Compression

$$\frac{C_{so}}{V_o} = 0.0049$$

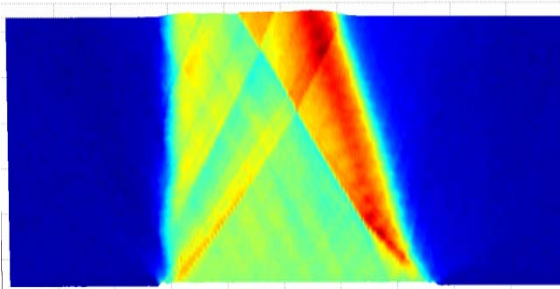
$$\eta = 0.50$$

Head and Tail fields are independently controlled



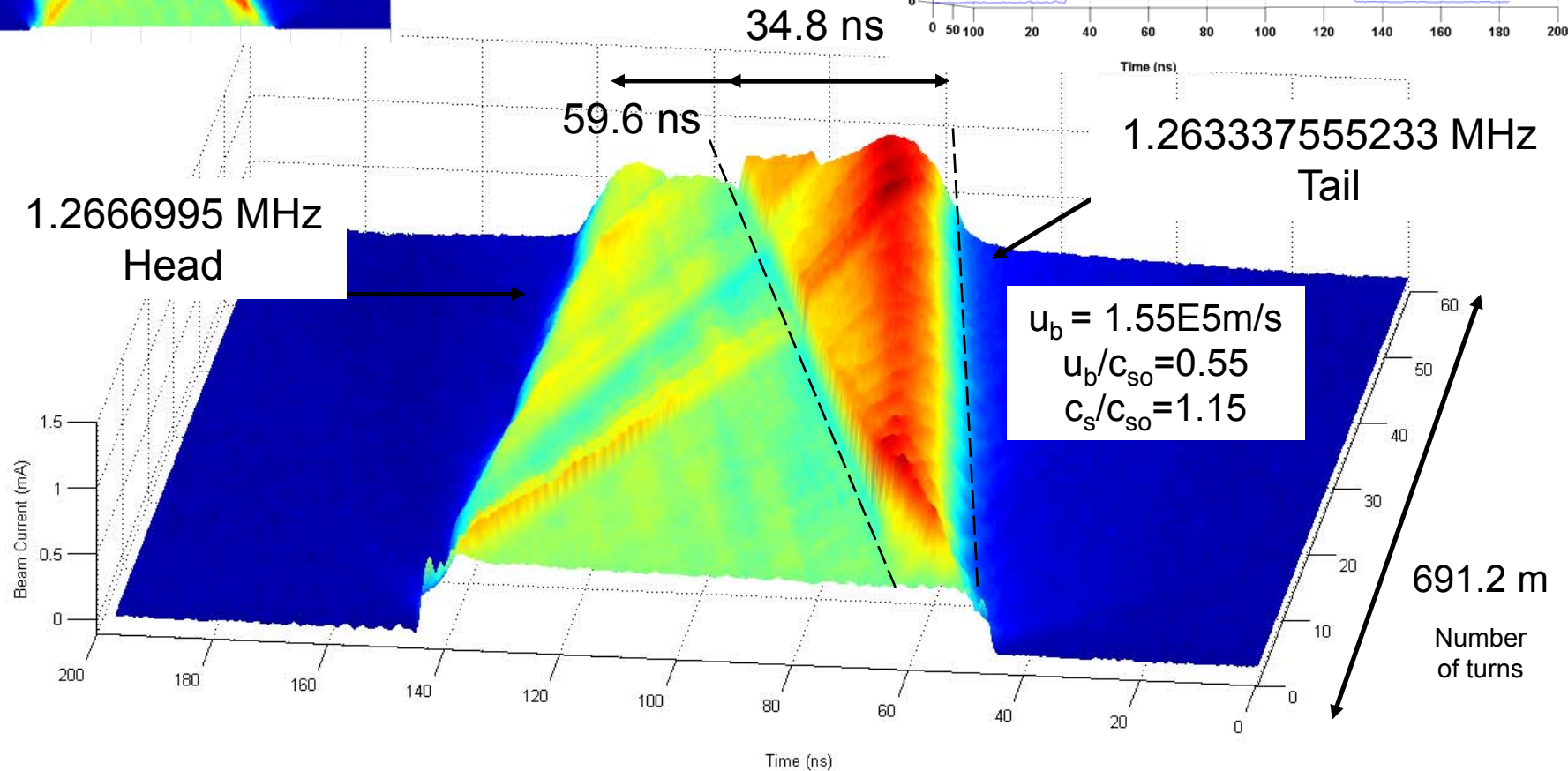
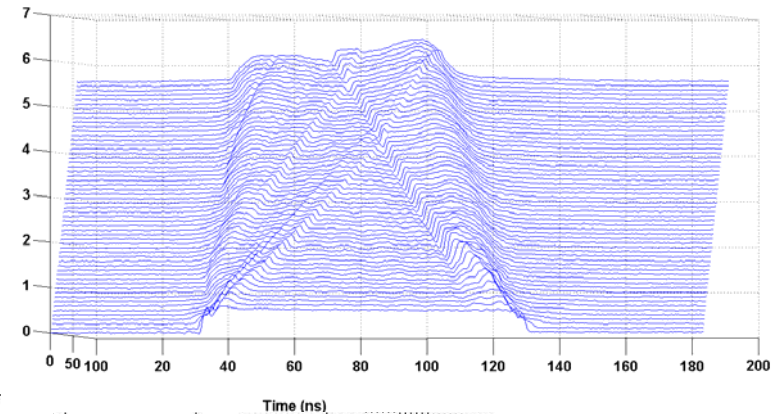
Experimental Results of Asymmetric Focusing

Top View



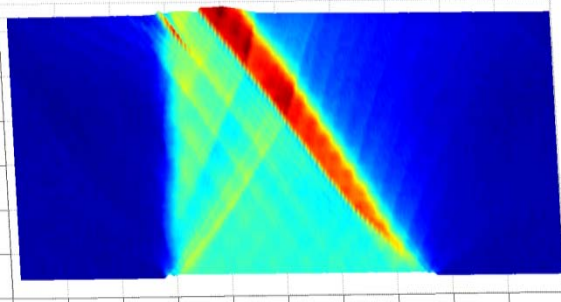
$$\frac{c_{so}}{V_o} = 0.0049$$

$$\eta = 0.50$$



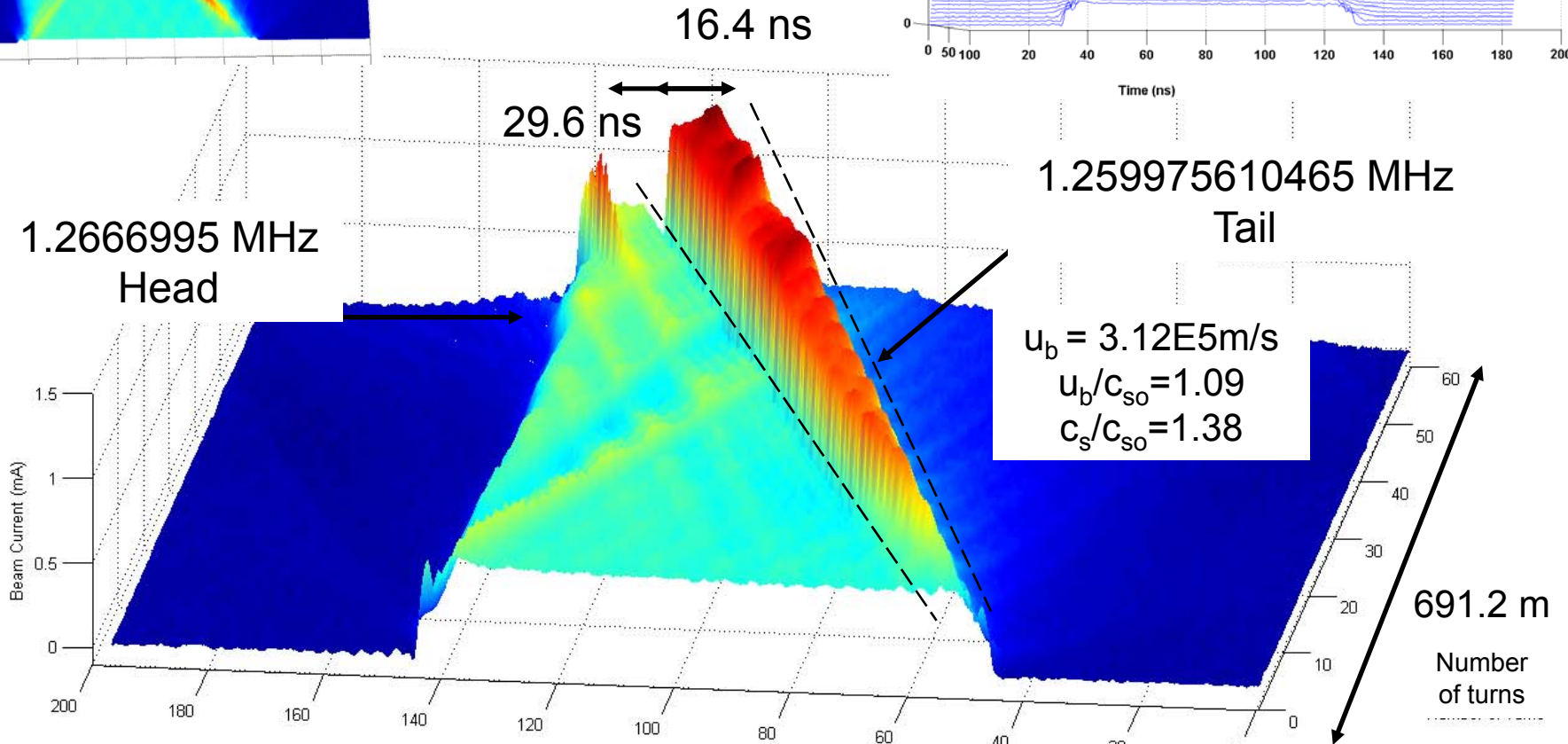
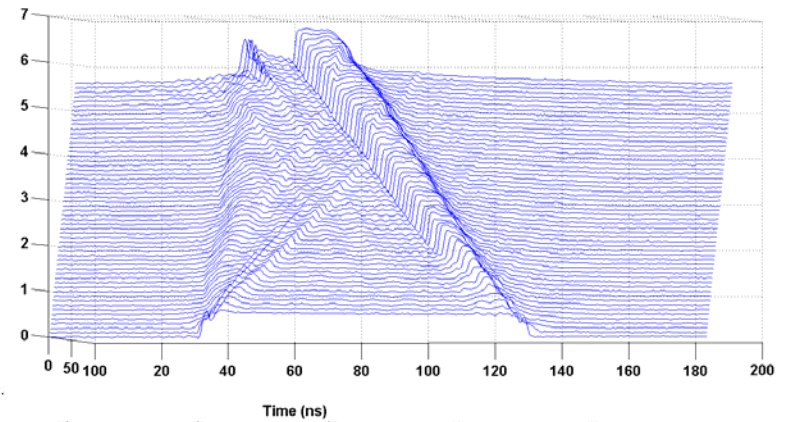
Experimental Results of Asymmetric Focusing

Top View



$$\frac{c_{so}}{V_o} = 0.0049$$

$$\eta = 0.50$$



Shock Velocity as a function of Barrier Velocity

The 0.6 mA beam

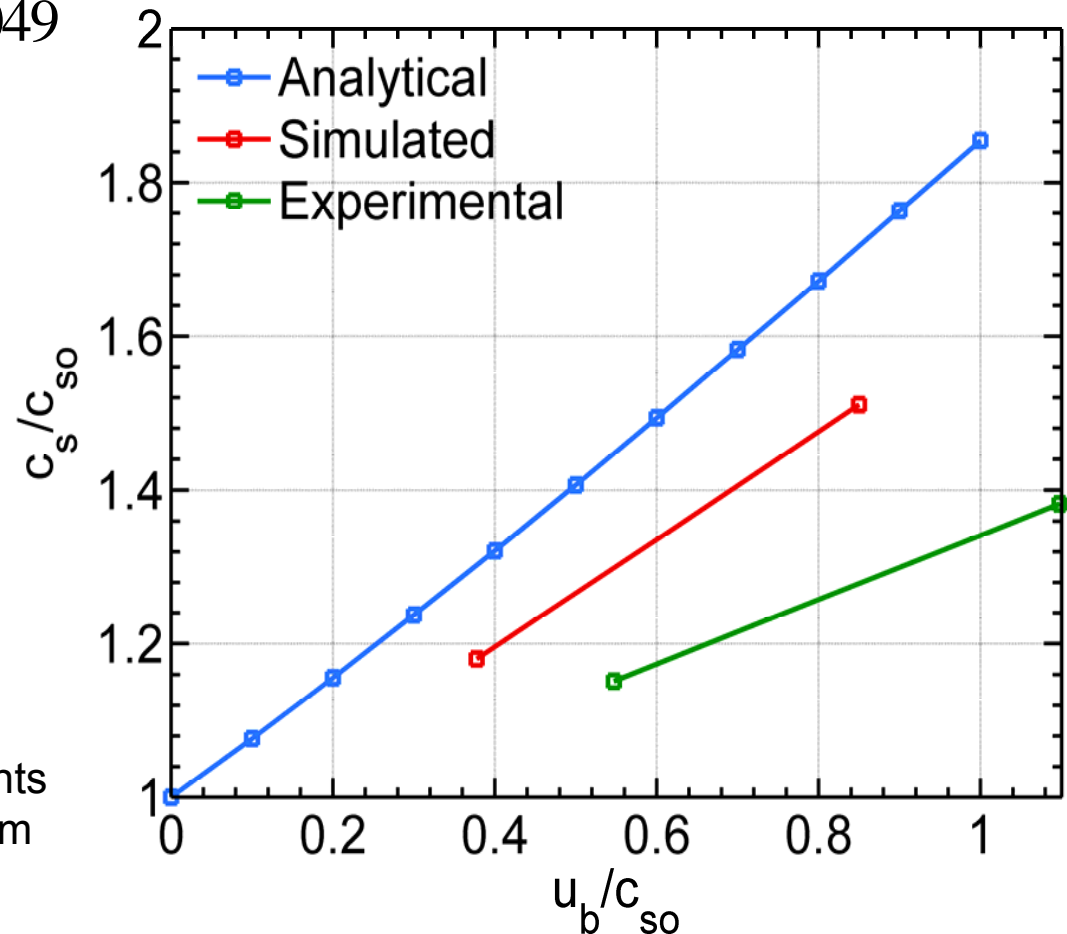
$$\frac{c_s}{c_{so}} = 2\sqrt{-Q}\cos\left(\frac{\theta}{3}\right) + \frac{2u_b}{3c_{so}} \quad \frac{c_{so}}{V_o} = 0.0049$$

$$\theta = \arccos\left(\frac{R}{\sqrt{-Q^3}}\right) \quad \text{Initially} \\ \eta = 0.50$$

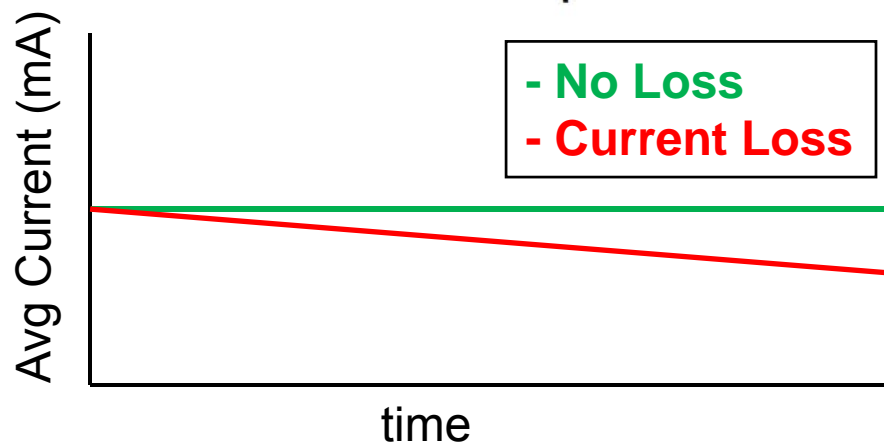
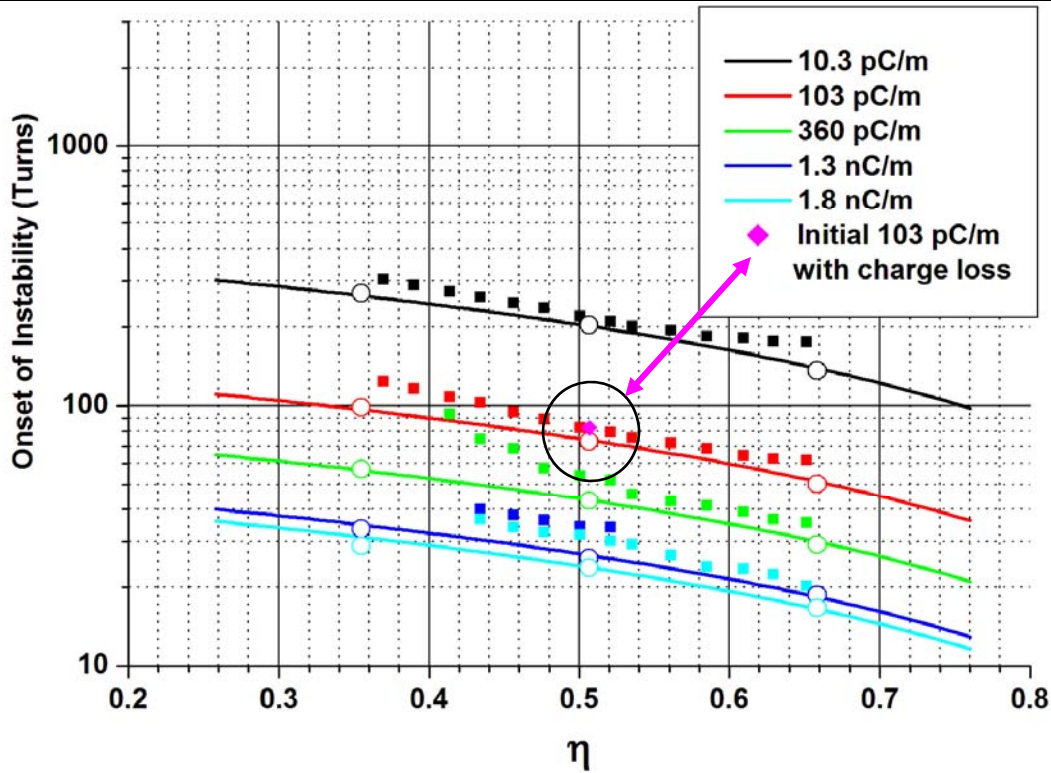
$$R = -\frac{1}{27}\left(\frac{u_b}{c_{so}}\right)^3 + \frac{u_b}{12c_{so}}$$

$$Q = -\frac{1}{9}\left(\frac{u_b}{c_{so}}\right)^2 - \frac{1}{3}$$

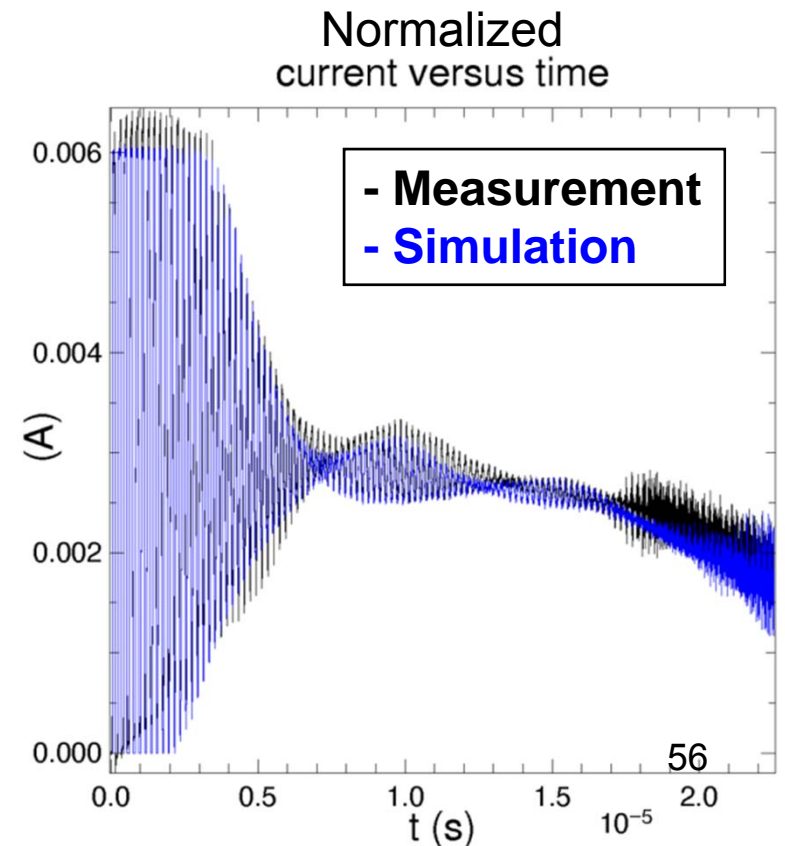
- The peak current increases with barrier velocity u_b
- Expand study to other beam currents to understand dependence on beam intensity



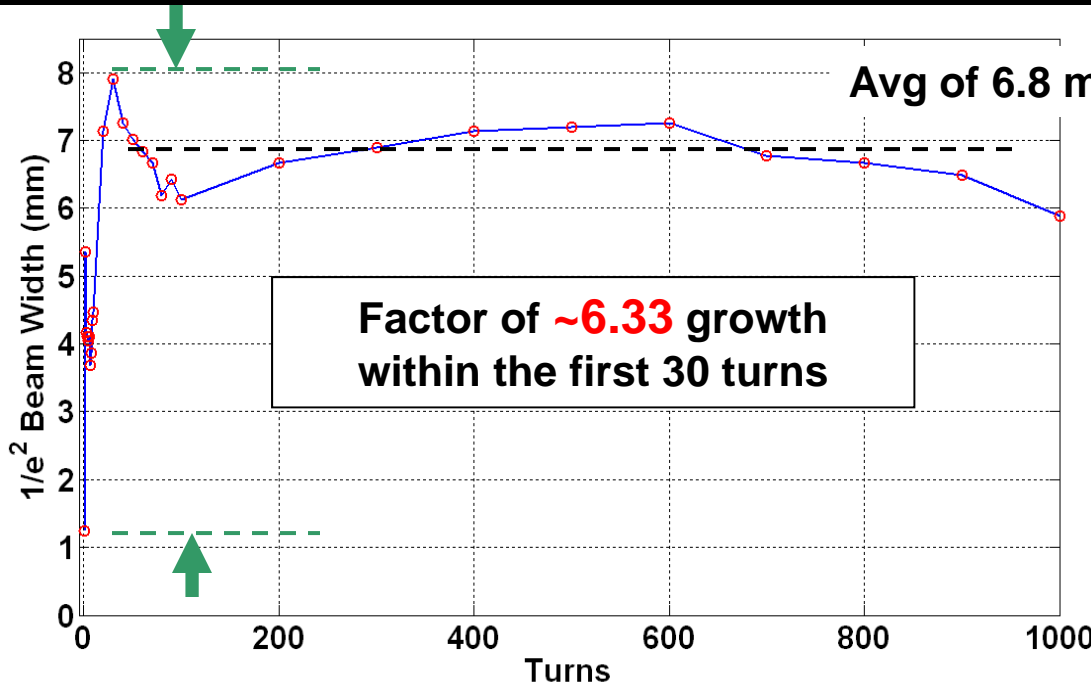
Incorporating Transverse Current Loss into the Simulation Model



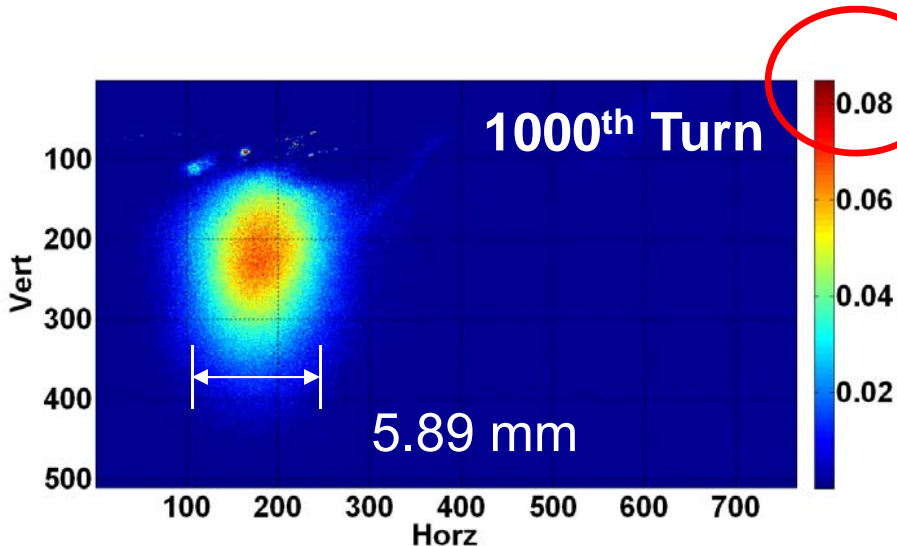
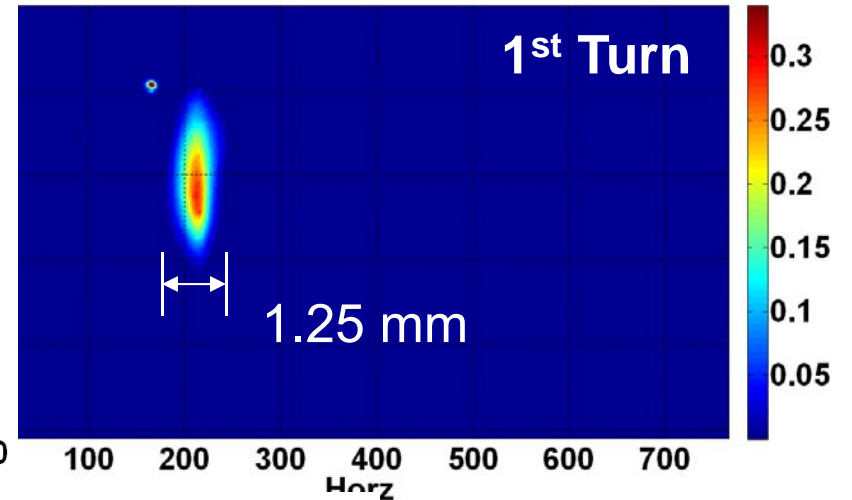
Current loss delays the longitudinal wave velocity, c_s and thus delays the onset of the instability



Method to Confirm Beam Size per Turn



Vertical Extraction At RC8



Preserving 76 % of the intensity

